



Astroparticle physics I – Dark Matter

WS22/23 Lecture 5 Nov. 10, 2022



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Recap of Lecture 4



Extensive air showers: lateral & longitudinal distributions

- primary CR energy E₀:

use integration over lateral distributions of $N_e + N_\mu$ ('foot print') as good indicator for E_0 (compare Greisen-fit to CORSIKA simulations)

- primary CR mass M:

use observed longitudinal distribution to determine shower maximum X_{max} - heavy CR (⁵⁶*Fe*): small $X_{max} \Rightarrow$ small ratio N_e/N_{μ}

- $= \text{fieldy Civ}(\Gamma e). \text{ small } X_{max} \rightarrow \text{ small ratio } N_e/N_{\mu}$
- light CR (*p*): large $X_{max} \Rightarrow$ large ratio N_e/N_{μ}

Pioneering air shower experiment KASCADE at KIT Campus North

- components: large scintillator array, muon tunnel, central hadron calorimeter
- extension to KASCADE-Grande: at the knee change of mass composition

Power-Law Feature: element-specific 'knees'





Knee due to particle losses during propagation?



- GALPROP-MC-Code

transport of galactic CRs from the source to Earth (Diffusion): diffusion of particles in **'leaky box'**

- detailled modelling of effects due to CR propagation:
 - a) orientation of galactic B-fields
 - b) energy losses (light particles):
 - inverse Compton effect
 - emission of synchrotron radiation



Propagation of cosmic rays in our galaxy



- Charged CRs: guided by galactic magnetic fields with *B* ~ few μG
 - important parameter: Larmor radius R_L

$$R_L \cong 1 pc \cdot \left(\frac{E}{10^{15} eV}\right) \cdot \left(\frac{\mu G}{Z \cdot B}\right)$$

- high energies:
 - $R_L > d = 0.3 \ kpc$
- ⇒ these CR nuclei will leave the galaxis



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 - important parameter: Larmor radius R_L

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- low energies:
 - $R_L < d = 0.3 \ kpc$
- ⇒ these CR nuclei are trapped in galaxis on time scales $\tau \sim 3 \dots 10 \cdot 10^6 y$



CR spectrum feature: the ankle





What is the degree of isotropy of cosmic rays?

Reconstructing the arrival direction of CRs from the shower axis

- galactic CRs:

many sources, energies $\sim 10^{15} eV$, galactic *B* —fields result in deflection \Rightarrow expect a high degree of isotropy

- extra-galactic CRs:

fewer sources at scales of UHECRs ⇒ nearby sources could be identified

- the **axis of a large air shower** allows to reconstruct the arrival direction of the primary particle





Results for galactic cosmic rays at $E \sim 10^{15} eV$



The observed distribution of galactic CRs is indeed isotropic to first order

KASCADE results (>10 years):

- to first order ($\sim 10^{-3}$) one sees an **isotropic arrival distribution**
- conclusions: there are
 - ♥ no nearby sources of CRs
 - ho neutral primaries (gammas) which initiate showers and which would point back to sources of CRs

KASCADE: arrival distribution of CR



Looking very precisely: a vey small anisotropy!

new results of arrival distributions reveal a tiny anisotropy of galactic CRs

- anisotropic arrival distribution with small dipole amplitude $A \sim 6 \cdot 10^{-4}$



Anisotropy at ultra-high energies: southern view

Pierre Auger Observatory* reveals spatial anisotropy at energies E > 8 EeV



Anisotropy at ultra-high energies: northern view

The Telescope Array reveals a localised 'hot spot' above $E = 5.7 \cdot 10^{19} eV$

Telescope Array (TA) experiment in Utah (USA) observes UHECRs in nothern 30 hemisphere

data taking since 2008:
27 events from only
6% of the area being
surveyed: a hot spot of
UHECR



Cosmic accelerators: principles



- galactic/extra-galactic accelerators: who powers them & how do they do it?
 - where does the energy for CRs come from?
 - what is the efficiency of cosmic accelerators?
 - can cosmic accelerators work over long time scales?

- how do cosmic acclerators work up to $10^{15} \dots 10^{20} eV$?
- what limits the energy of galactic acclerators?
- why do extra-galactic accelerators go beyond?





Local (galactic) energy densities: an overview



CR energy density: galactic sources must be able to provide this value

local energy densities in the Milky Way		
electromagnetic radiation (star light)	$\sim 0.6 \ eV/cm^3$	
galactic magnetic field ~ $B^2/2\mu_0$ (3µG)	$\sim 0.25 \ eV/cm^3$	
cosmic microwave background (CMB)	$\sim 0.26 \ eV/cm^3$	
cosmic rays	$\sim 1 \ eV/cm^3$	
local matter density (WIMPs)	$\sim 0.3 ~GeV/cm^3$	











comparison of $W_{SN} \& W_{CR}$ in galaxis



CR

SNR

Do galactic supernovae provide enough power W to account for CRs?

- Total energy/year W_{CR} going into galactic cosmic rays

$$W_{CR} = \rho_{CR} \cdot \pi \cdot R^2 \cdot d \cdot \tau^{-1} = 2 \cdot 10^{41} J/year$$

- Total energy/year W_{SN} produced by supernovae in galaxis

 $W_{SN} \sim 3$ SN-explosions/century = $5 \cdot 10^{42} J/year$

■ Supernovae = ideal candidate sites* for galactic CR required efficiency for $W_{CR} \rightarrow W_{SN}$: < 5%



Sources of Cosmic Rays in our galaxy



Most likely Cosmic Ray sources in our galaxy at $E \sim 10^{15} eV$

Supernova shock fronts

- shock fronts in SNR: energy distribution? maximum energy E_0 ? what nuclei ${}^{A}Z$?



Pulsars, pulsar wind nebulae

 acceleration mechanism: hadronic / leptonic schemes?



Accleration mechanism for CRs

Fundamental physics principles to accelerate particles

- dynamical

scattering (reflection) of particles in magnetic clouds (Fermi-acceleration)

- hydrodynamic

accleration in plasma sheets

- electromagnetic

time-variable E, B — fields

ields
$$\frac{d}{dt}(\gamma \cdot m \cdot \vec{v}) =$$
 with
 $e \cdot (\vec{E} + \vec{v} \times \vec{B})$ $\vec{\nabla} \times \vec{E} = -$



 ∂B

∂t





Fermi accleration in shock fronts of SN remnants Simplified 1Dscenario

- SN-shock front:

spreads out into the very thin ISM* over extended time scales of $t = 10^4 \dots 10^5 y$.





Fermi accleration in shock fronts of SN remnants Karlsruhe Institute of Technolog shock front forward Simplified 1Dshock front -u_s ↓ scenario hot gas - SN-shockfront propagates with $u_s \cong 10^4 \ km/s$ or $\beta_{s} = 0.03$ plasma *cold* - β_s decreases material gas over time ISM ISM* rear-going shock front

Fermi accleration in shock fronts of SN remnants

important: there is a density gradient at the transition to ISM

- ISM: density ρ_1 , shock: density ρ_2
- plasma physics: ratio ρ_2/ρ_1 depends on the adiabatic coefficient γ_{ad}



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Fermi accleration in shock fronts of SN remnants

- The process of Fermi acceleration of CRs comprises several key steps:
 - charged nucleus from ISM with primary energy E_0 passes the SN-shock front: energy gain ΔE
 - B-fields within the gas of the shock front back-reflect the nucleus: **adiabatic process** without energy loss!
 - nucleus again passes passes pressure gradient (in opposite direction): again **energy gain** ΔE
 - further adiabatic backscattering of nucleus due to electro-magnetic fields in the ISM





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Fermi accleration in shock fronts: an analogon

-U_S

En

a mechanic analogon for illustration

- ping pong ball reflected by a wall which moves against ball with u_s
 - distance between the wall and table tennis racket is reduced

n = 1

 ⇒ ball is accelerated, and (if this can be repeated) it will be ever faster





Fermi accleration in shock fronts: a net gain

Summing up: the CR nucleus gains energy

- by Fermi acceleration, which is ...
- ... based on the multiple passing of a SN-shockfront
- ... a collission-less process, i.e. **no energy losses** due to inelastic scattering in the gas of the shock front

Energy gain ΔE

for a single acceleration cycle (& independent of the direction of the nucleus) one obtains a net energy gain

$$\frac{\Delta E}{E} = \frac{u_s}{c} = \beta_s$$





Fermi accleration in shock fronts: many cycles

Summing up: single cycle vs. multiple cycles

- net energy gain ΔE per single accleration cycle

$$\Delta E = \alpha \cdot E$$

- CR energy *E* after n accleration cycles (for starting energy E_0) $E = E_0 \cdot (1 + \alpha)^n$

- number
$$n$$
 of acceleration cycles to reach max. energy E :

$$n = \frac{\ln(E/E_0)}{\ln(1+\alpha)}$$





Origin of the CR power law distribution



 taking into account an energydependent probability *P* for particle losses during the acceleration cycle, we obtain a power-law distribution

$$\frac{dN(E)}{dE} \sim E^{-2.7}$$
power law spectrum



Maximum energy of CR due to SN shocks?





Maximum energy of CR via famous Hillas formula

A.M. Hillas: cosmic acclerators use a B-field of size L to guide particles

В



- maximum energy E_{max} of a particle of charge Z in a SN shock front (see dimensions!)

$$\boldsymbol{E}_{max} \sim \boldsymbol{\beta}_{S} \cdot \boldsymbol{Z} \cdot \boldsymbol{B} \cdot \boldsymbol{L}$$

particle:

- nuclear charge Z

source:

- field strength B
- size L
- shock velocity β_s

Hillas plot for UHECRs up to $E_{max} = 10^{20} eV$





large L / small B





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Sources of UHECRs up to $E_{max} = 10^{20} eV$





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Overview of results

- measurements of air showers arrays with KIT participation





Energy spectrum of UHECR & acclerators

















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