

Vorlesung:

Teilchenphysik I (Particle Physics I)

Detector systems

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WS 20/21

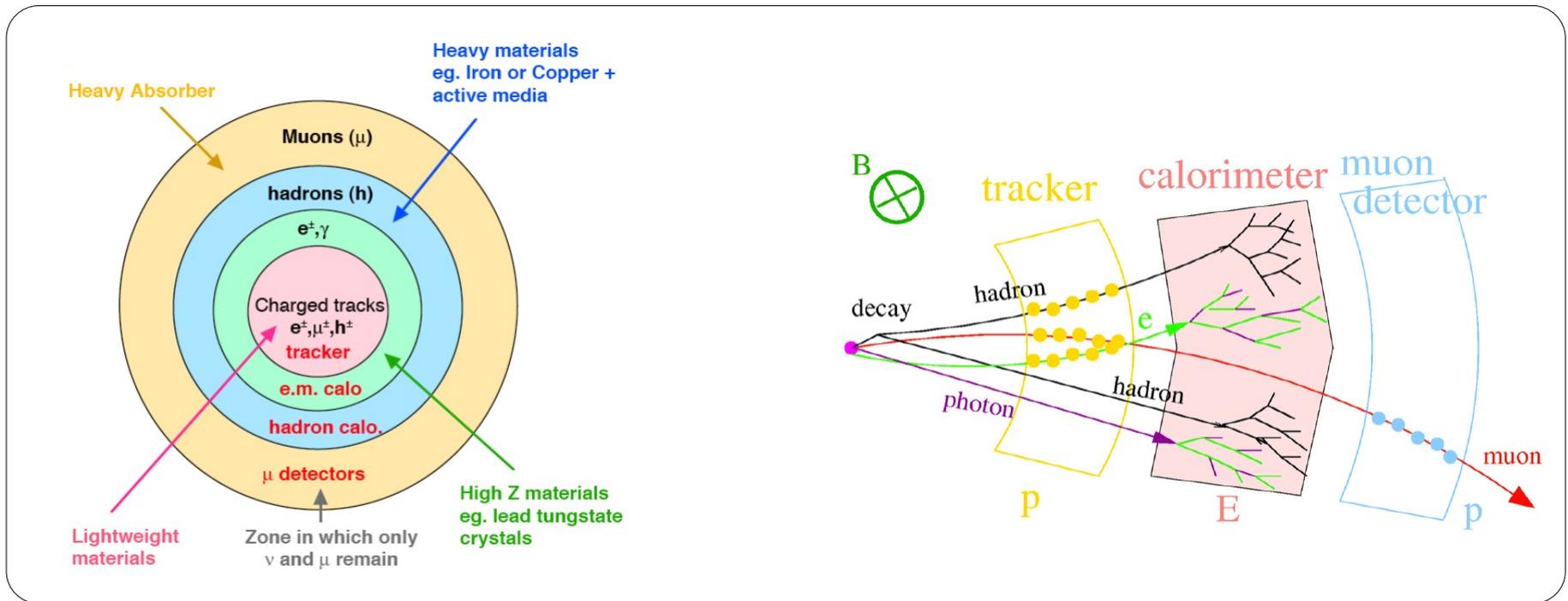


1. History
2. Basics principles
3. Detectors and Accelerators
 1. Interaction of particles with matter
 2. Simulation of particle interactions with Monte Carlo
 3. Detector Systems
 4. Accelerators

Introduction: Detector Systems

Combination of detector components needed

- to identify particles
- and precisely measure their momenta and / or energies
- vertex- and tracking detectors
- strong magnetic field for momentum measurement
- electromagnetic calorimeters
- hadron calorimeters
- muon detectors
- possibly special systems for particle identification



Identification and **precise measurement** of all (sufficiently) stable particles:
 $e^{\pm}, \gamma, p, n, \mu^{\pm}, \pi^{\pm}, K^{0,\pm}, \Lambda$

Introduction: Detector Systems (2)

- **Detector system design is driven** by research goal and experimental environment and constraints
- Examples of experiments with particle beams
 - Multipurpose collider experiments, e. g. ATLAS and CMS at the LHC
 - Asymmetric collider experiments, e. g. LHCb, experiments at B factories, electron – proton collider HERA
 - Fixed-target experiments, e. g. neutrino experiments, early experiments
- Examples of experiments without accelerators
 - Multipurpose experiments in neutrino physics
 - Specialised experiments, e. g. to measure neutrino mass, search for dark matter

More details than can be given here:

Spezialvorlesung Detektoren

Principle of Particle Detection

relies on principles described in last lecture:

interaction of particles with matter leads to

- ionization → free charges in material
- photons (near visible spectrum) → light

Detection principle:

collect charge and/or light and transform to electrical signal

basic measured quantity: **“mV in detector cell”**

After **digitization** and **data collection** from all detector cells:

→ **data structure** consisting of **cell identifiers** and **measured signal heights**

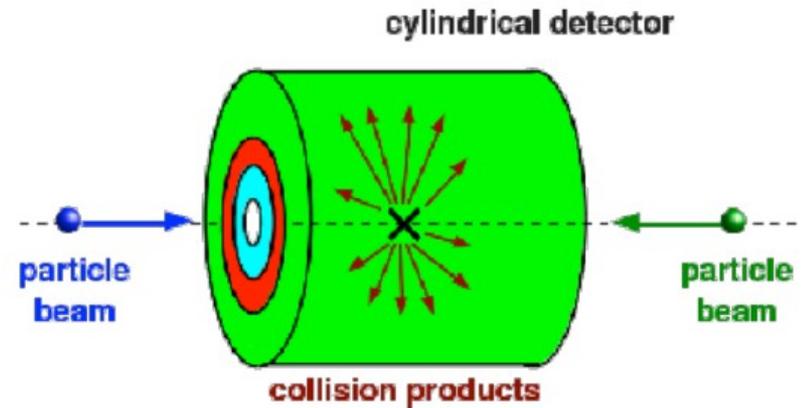
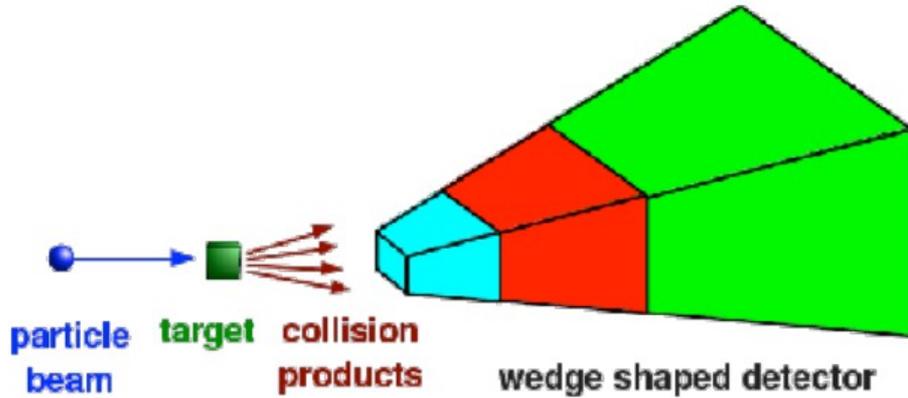
Data structure is processed by complex software stacks to produce:

→ graphical displays: data visualisation

→ reconstructed physics objects (tracks, electrons, myons, photons, hadrons, jets ...)

These high-level physics objects form the basis of the subsequent data analysis

Fixed-Target and Collider Layout



H. Evans, copyright unknown

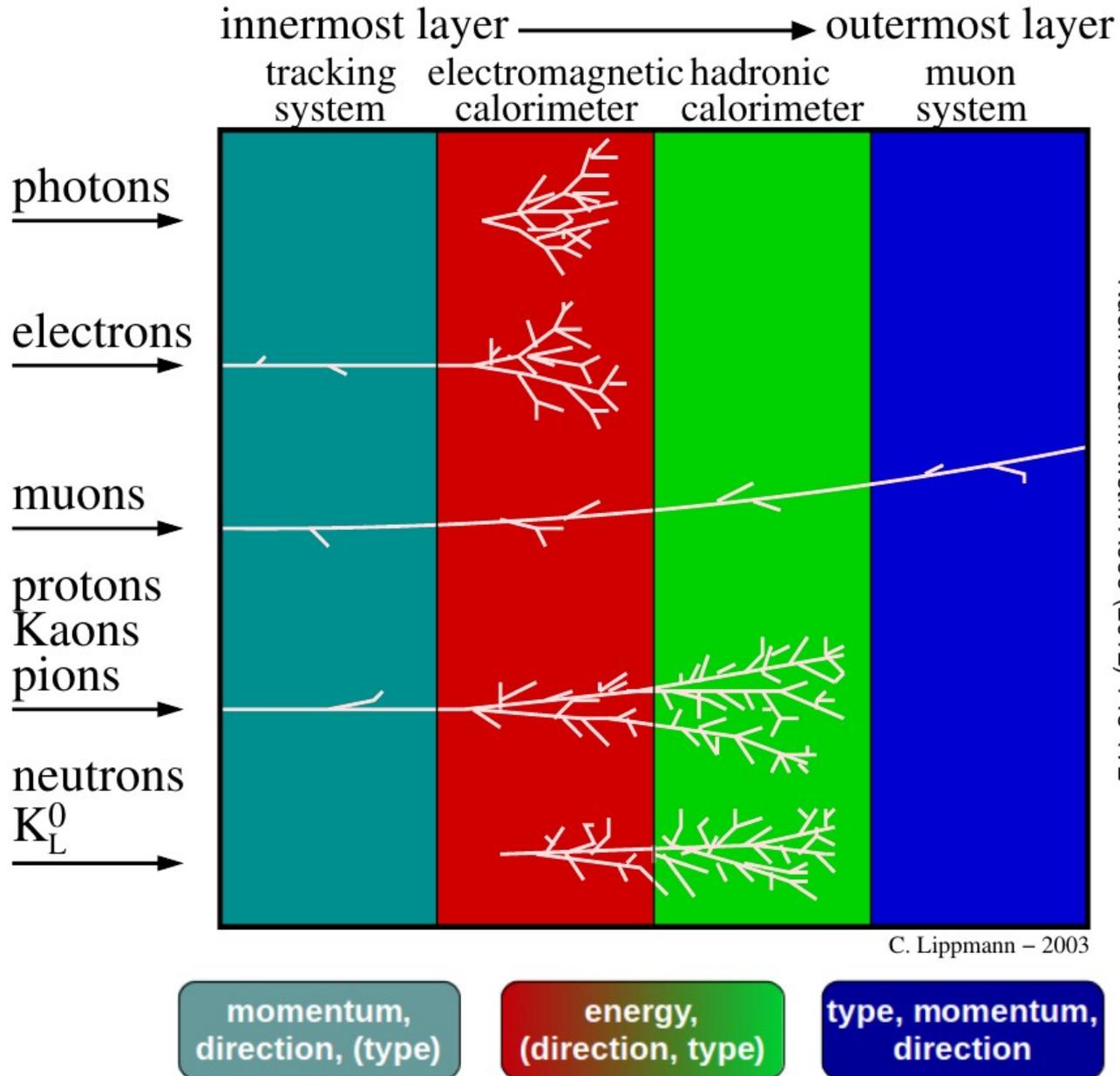
fixed target

1 particle beam hits fixed target
collision products in forward direction
“forward spectrometer” detector

collider

2 particle beams collide
collision products in all directions
cylindersymmetric “ 4π ” detector

Particle detection and identification



Concrete example: the CMS detector

Karlsruher Institut für Technologie

Multipurpose experiment

CMS DETECTOR

Total weight : 14,000 tonnes
Overall diameter : 15.0 m
Overall length : 28.7 m
Magnetic field : 3.8 T

STEEL RETURN YOKE
12,500 tonnes

SILICON TRACKERS
Pixel ($100 \times 150 \mu\text{m}$) $\sim 16\text{m}^2 \sim 66\text{M}$ channels
Microstrips ($80 \times 180 \mu\text{m}$) $\sim 200\text{m}^2 \sim 9.6\text{M}$ channels

SUPERCONDUCTING SOLENOID
Niobium titanium coil carrying $\sim 18,000\text{A}$

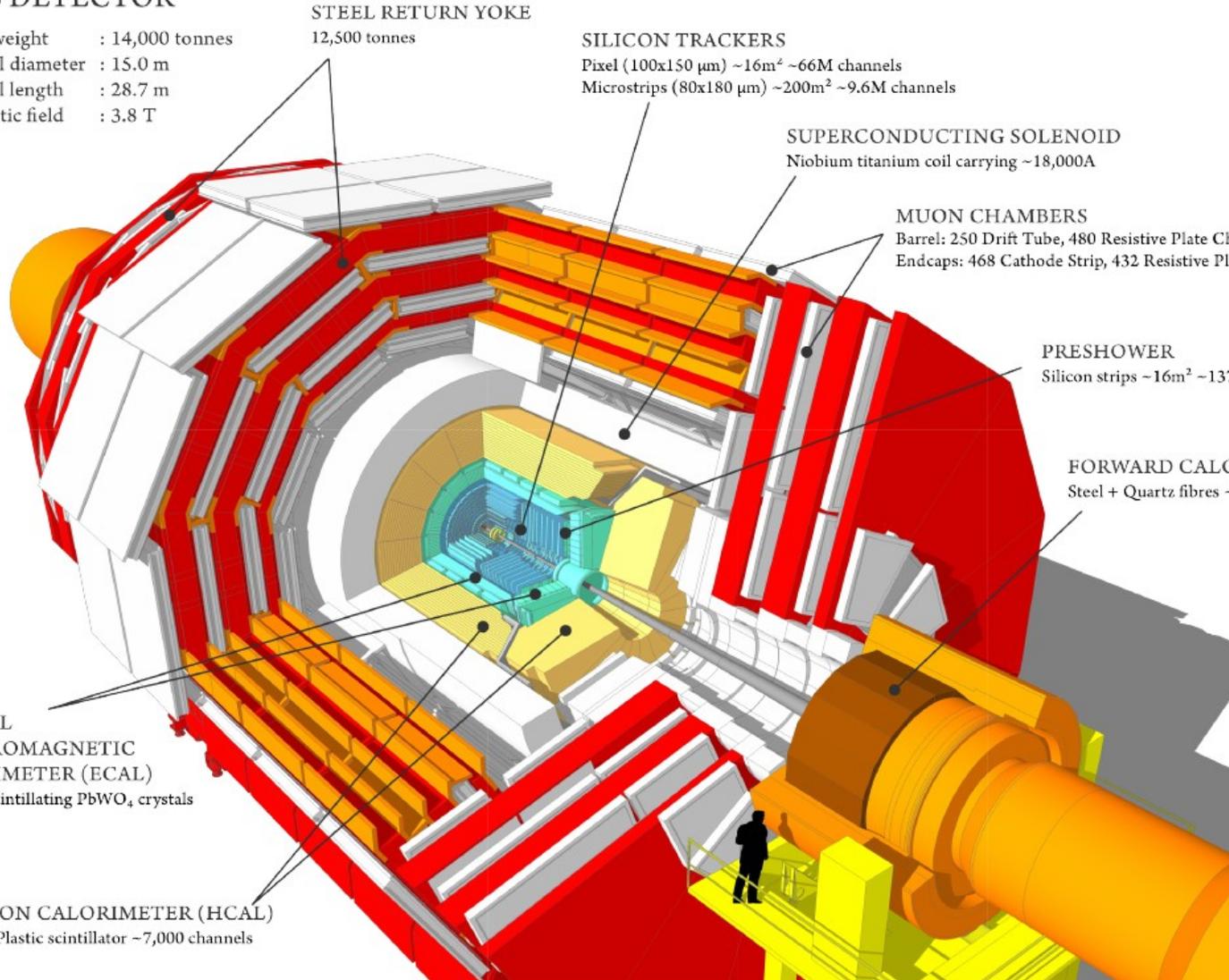
MUON CHAMBERS
Barrel: 250 Drift Tube, 480 Resistive Plate Chambers
Endcaps: 468 Cathode Strip, 432 Resistive Plate Chambers

PRESHOWER
Silicon strips $\sim 16\text{m}^2 \sim 137,000$ channels

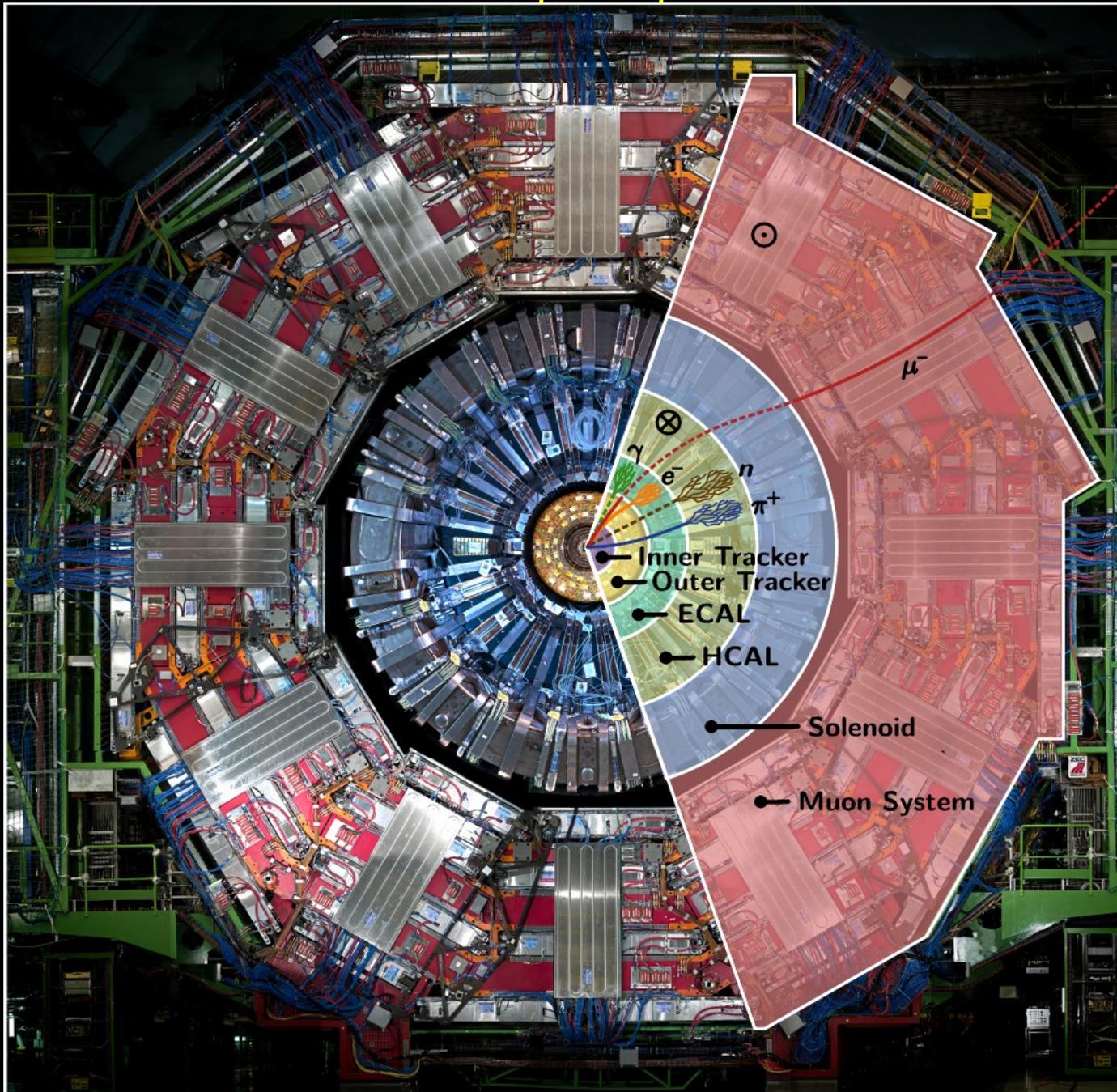
FORWARD CALORIMETER
Steel + Quartz fibres $\sim 2,000$ Channels

CRYSTAL
ELECTROMAGNETIC
CALORIMETER (ECAL)
 $\sim 76,000$ scintillating PbWO_4 crystals

HADRON CALORIMETER (HCAL)
Brass + Plastic scintillator $\sim 7,000$ channels

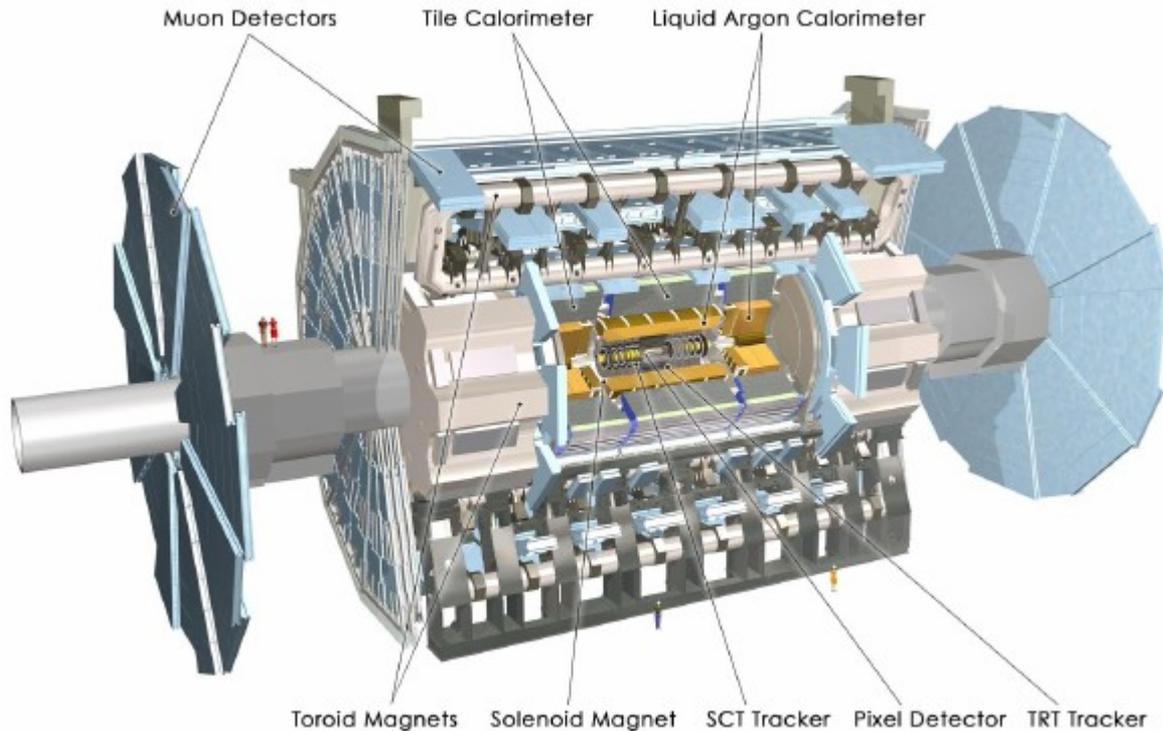


Funktionsprinzip eines Detektors: CMS



Quelle: Dissertation
Joram Berger,
Karlsruhe, Juli 2014

concrete example 2: the ATLAS Detector



same goals as CMS with
(slightly) different approach:

- solenoid surrounding tracker
- toroidal magnet systems for myon measurements

TABLE 2 Main design parameters of the ATLAS and CMS detectors

Parameter	ATLAS	CMS
Total weight (tons)	7000	12,500
Overall diameter (m)	22	15
Overall length (m)	46	20
Magnetic field for tracking (T)	2	4
Solid angle for precision measurements ($\Delta\phi \times \Delta\eta$)	$2\pi \times 5.0$	$2\pi \times 5.0$
Solid angle for energy measurements ($\Delta\phi \times \Delta\eta$)	$2\pi \times 9.6$	$2\pi \times 9.6$
Total cost (million Swiss francs)	550	550

ATLAS vs. CMS:

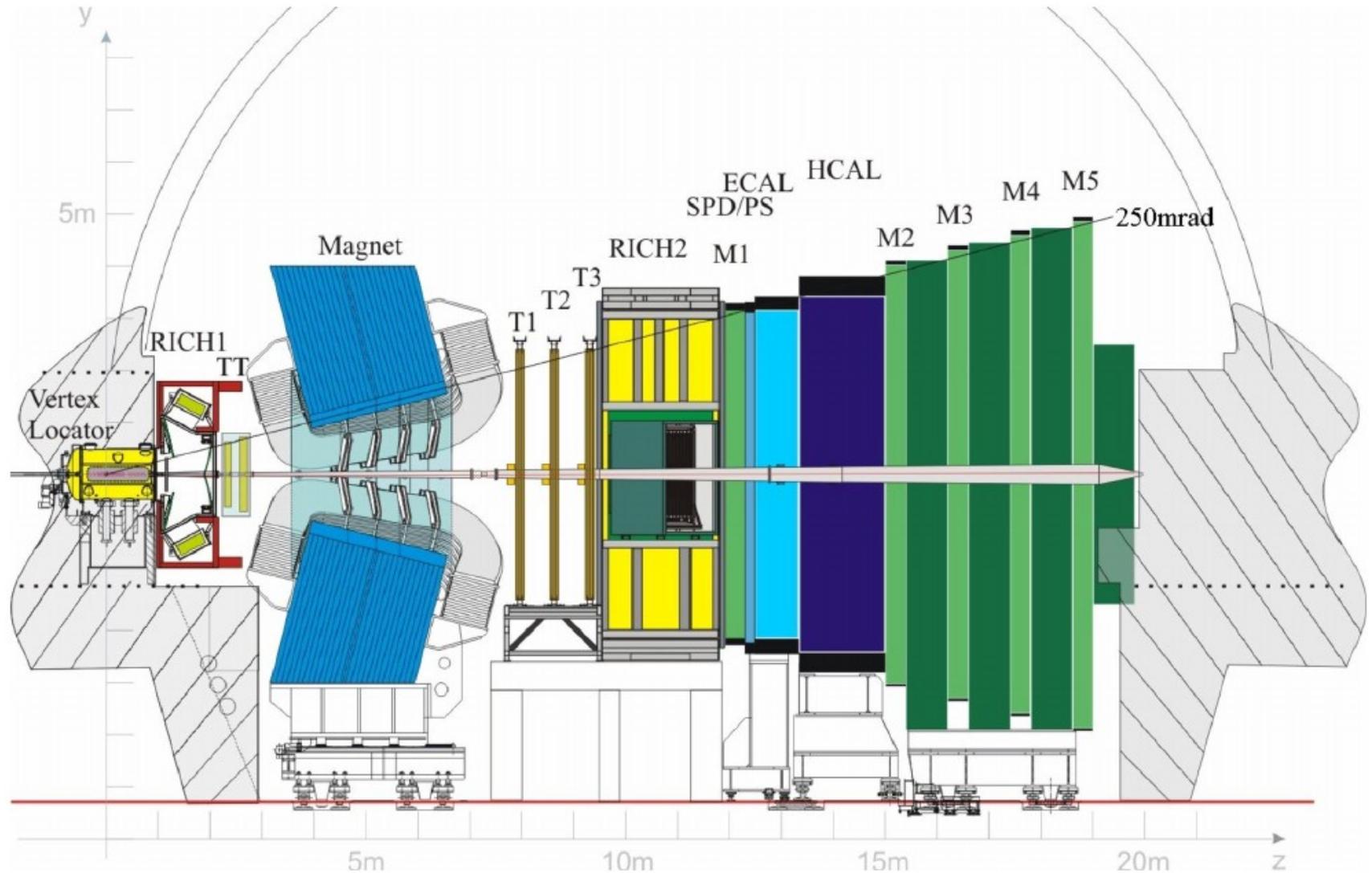
twice the size
half the weight

Different B field

Same coverage

tracker & calorimetry,
same cost

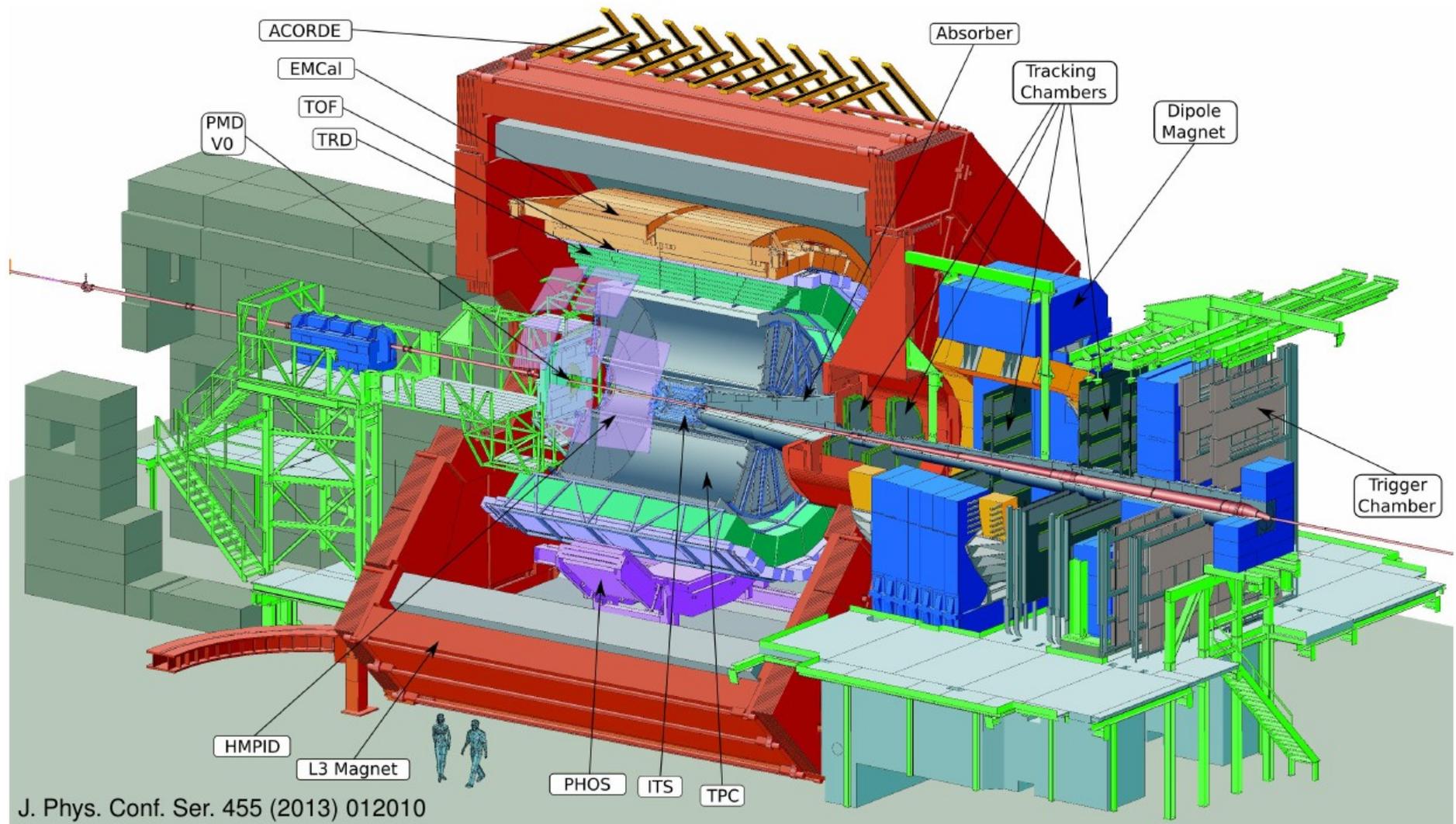
LHCb: optimized for B physics



Int. J. Mod. Phys. A30 (2015) 07, 1530022

precision measurements in forward direction

ALICE: optimized for high-multiplicity events



exotic states of matter and quark-gluon plasma

Event reconstruction

Optimal combination of different information needed:

- momentum measurement in tracking system, energy in calorimeters

$$\Delta p_T / p_T \propto p_T$$

$$\Delta E / E \propto 1 / \sqrt{E}$$

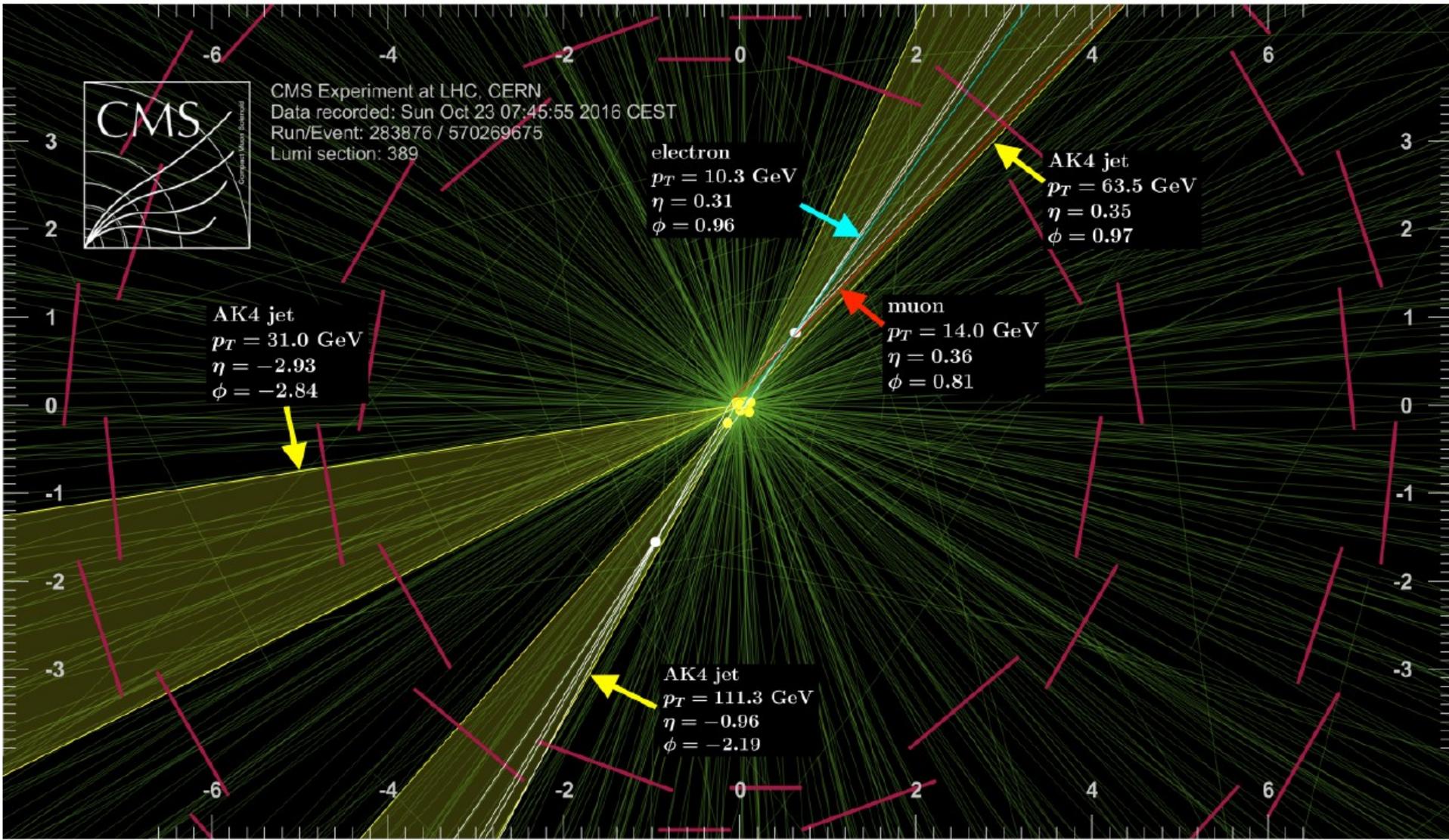
- for muos: combine track parameters from central detector and from myon system
- recognise converted photons, use tracks for better direction measurement
- assign (possibly) all tracks to clusters of energy deposits in calorimeters (reconstruction of „Particle Flow“)
- particle detection from range, shower parameters, dE/dx, secondary vertices, ...
for known particle types (=mass) momentum and energy are related: $E^2 = p^2 + m^2$
- instable particles are reconstructed from stable decay products (invariant relativistic mass)
- combine all particles to Jets
- detect non-interacting particles (neutrinos, particles from “new physics”) via „missing transvers momentum“ or „missing transverse energy“

$$\vec{p}_{Tmiss} = - \sum_i \vec{p}_{Ti}$$

This only works if interaction point is hermetically surrounded by detector components !

Selected detector components

Tracking detector



cern.ch

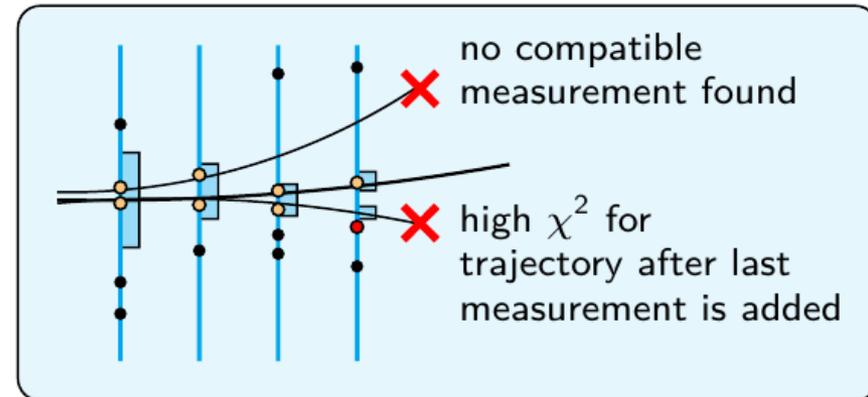
Purpose: registration of all energy deposits from charged particles, precise determination of their position, possibly measure dE/dx

Examples of Tracking Detectors

- ***Gaseous*** detectors
 - Prototype: Geiger counter
 - Various types, e. g. ***multi-wire proportional chamber, drift chamber, time projection chamber***
- ***Semiconductor*** detectors
 - Examples: ***silicon strips and pixel*** detectors (cf. lab exercises)
 - Further application e. g. precise energy measurement with germanium detectors
- ***Performance*** characteristics of tracking detectors
 - ***Single-hit position resolution***
 - ***Momentum resolution***

Track and vertex reconstruction

- Measurement of particle track: tracking detector with **several sensitive layers**
- Electric signal in each layer: **hit**
- Track reconstruction ('tracking')
 - **Track finding** (pattern recognition): do hits belong to same helix?
 - **Track fitting** (parameter estimation): which helix parameters match the data best?
- **Vertex fit**: do tracks originate from same origin ('vertex')?



G. Mittag

Track fitting: minimise

$$\chi^2 = \sum_{\text{hit}} \frac{(x_i - f_i(\mathbf{q}))^2}{\sigma_i^2}$$

x_i : measured hit position

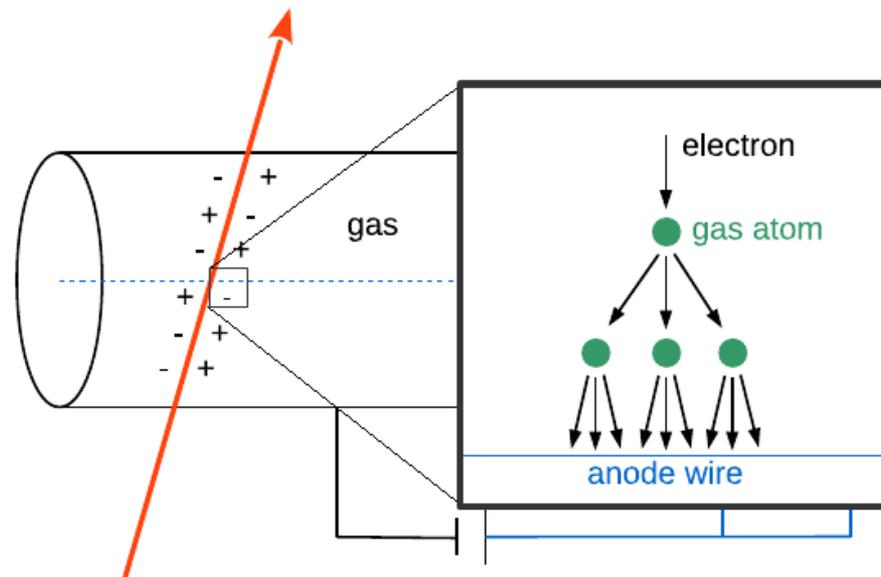
$f_i(\mathbf{q})$: track model

σ_i : measurement uncertainty

Gaseous Detectors: principle

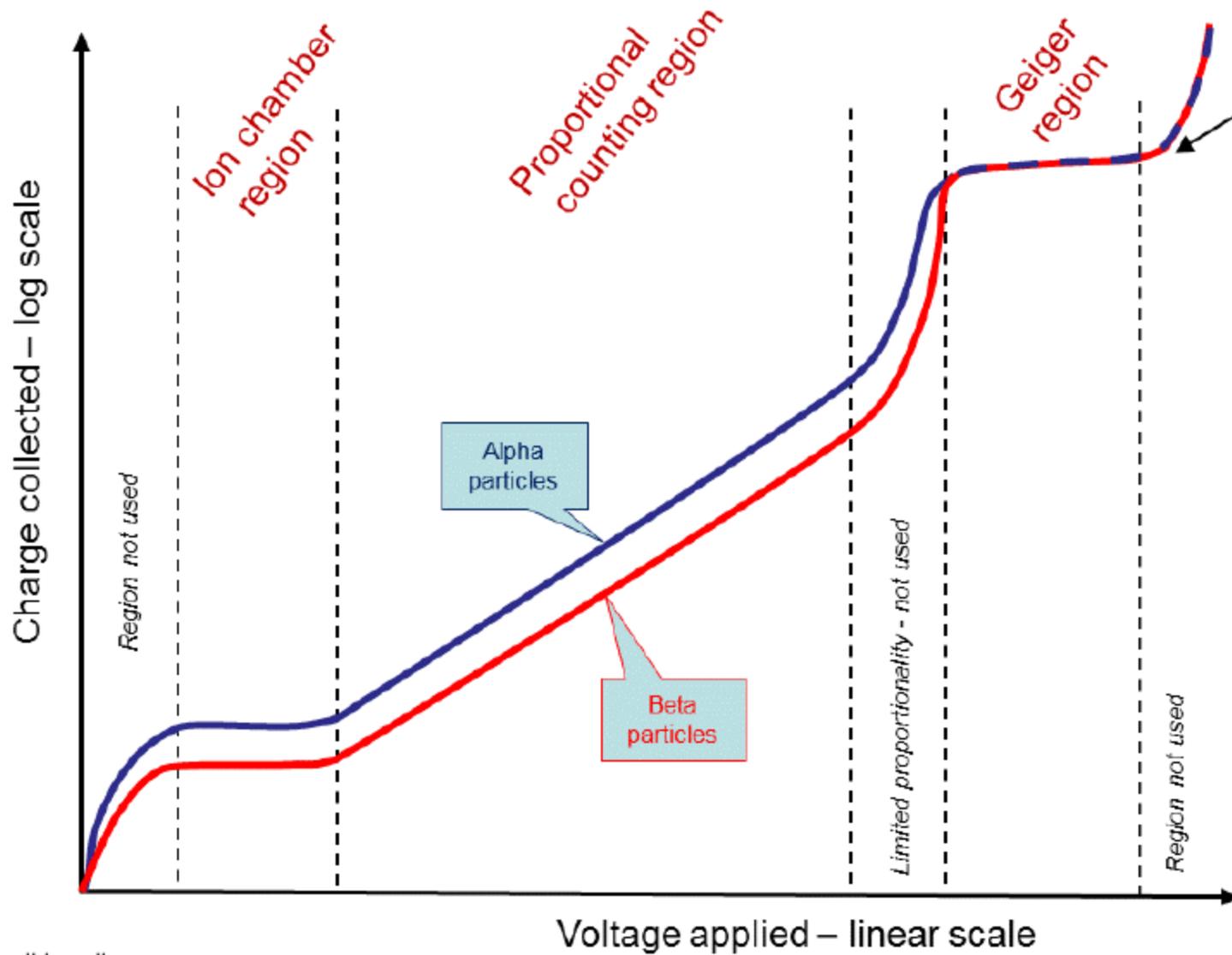
Important basic example: **proportional counter**

- Traversing charged particle **ionises** inert **gas**
- High voltage between anode wire and cylinder: drift of light electrons and heavy ions to electrodes (charge separation)
- Electric field large close to anode wire: **charge amplification** (typical factor $10 \cdot 10^5$) in **Townsend avalanche**



- Design: each original ionisation event produces only one avalanche → output proportional to energy of incident particle
- Ions emit UV photons when recombining → further ionisation limiting proportionality: absorbed by **quench gas**, e. g. CO_2

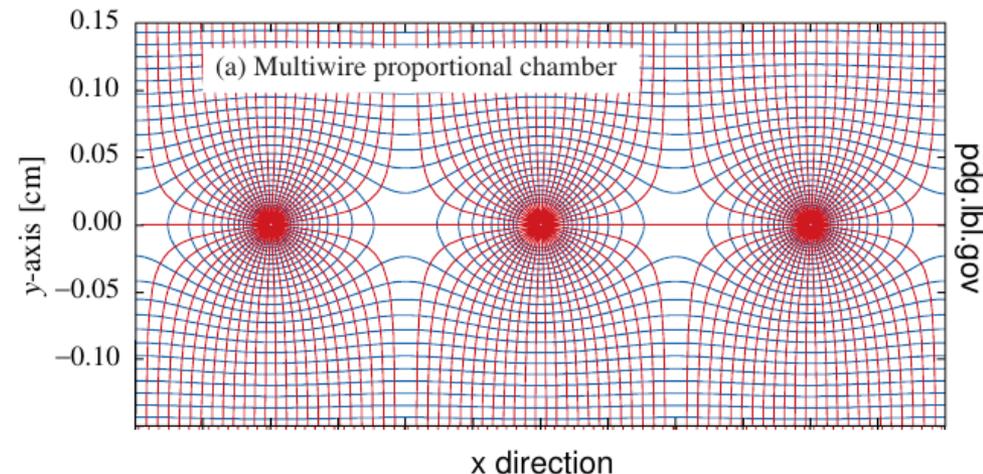
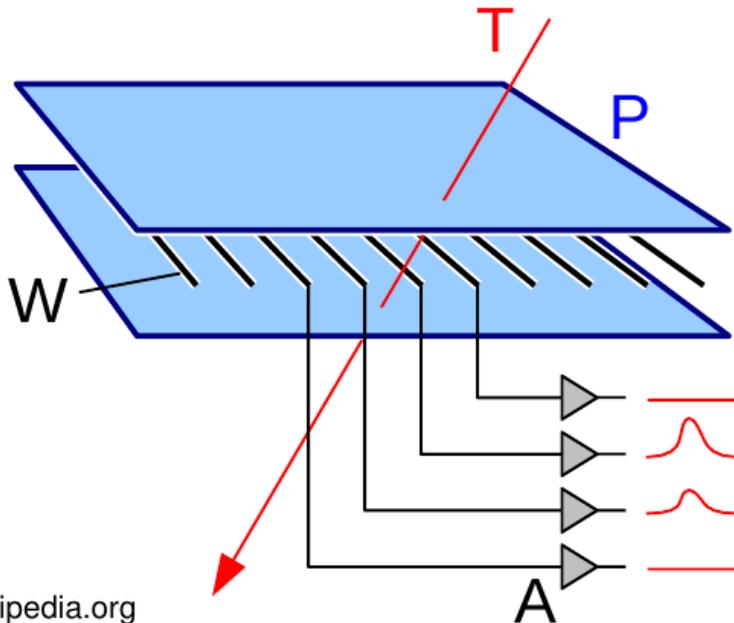
Gaseous Detectors: amplification



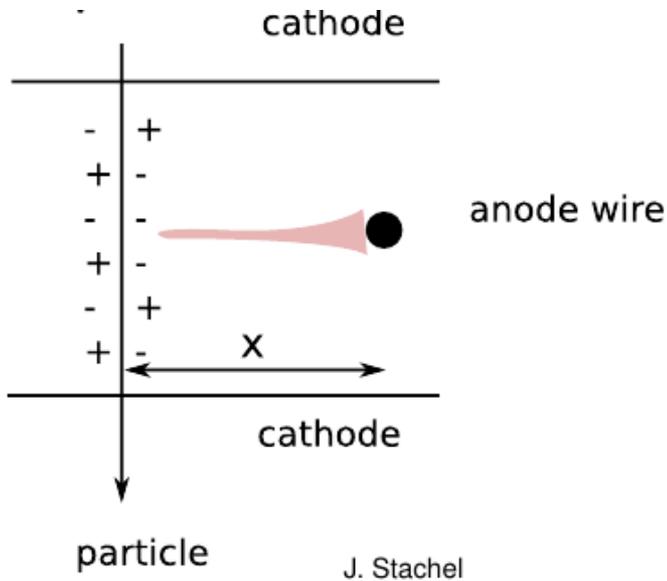
Multi-wire proportional chamber

Gorges Charpak 1968, Nobel Prize 1992

- Many anode **wires in parallel**, operated in proportional region
 - Planar arrangement of proportional counters without separating walls
 - Typical dimensions: $\mathcal{O}(100\ \mu\text{m})$ diameter, $\mathcal{O}(1\ \text{mm})$ wire distance
- Electric field: radial in vicinity of wire (avalanche), homogeneous far away
- Wire with signal \rightarrow 1D position information
 - Single-hit spatial position resolution $\sigma_x = d/\sqrt{12}$



Drift Chamber

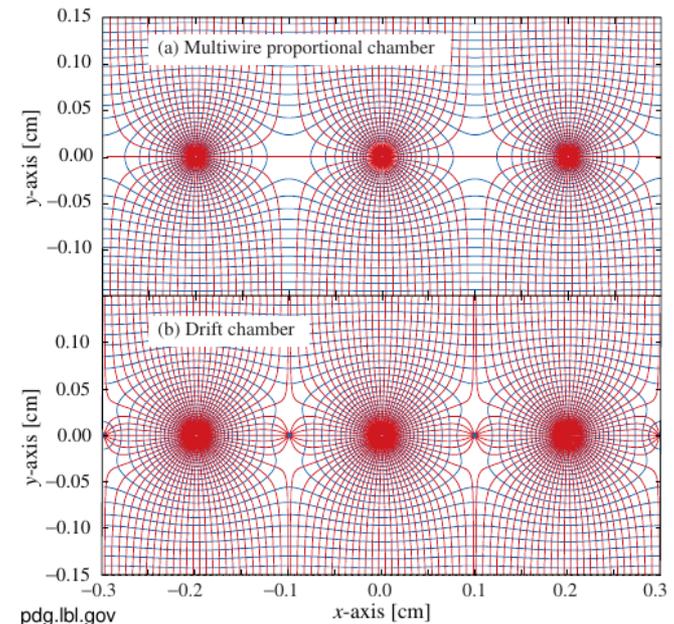


drift time of charges used determine
distance of track from anode wire

- precise shaping and knowledge of electrical field and properties of gas
- spacial resolution limited by drift-time variations (diffusion!)

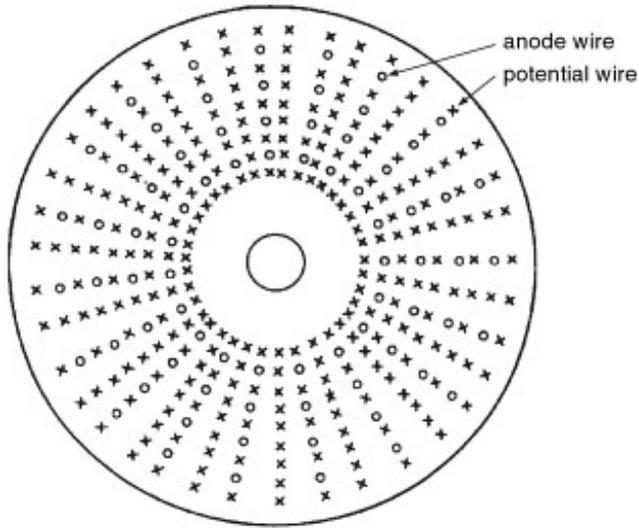
→ spatial resolutions of $\sim 50 \mu\text{m}$ possible

Improvement of field quality by additional
field wires



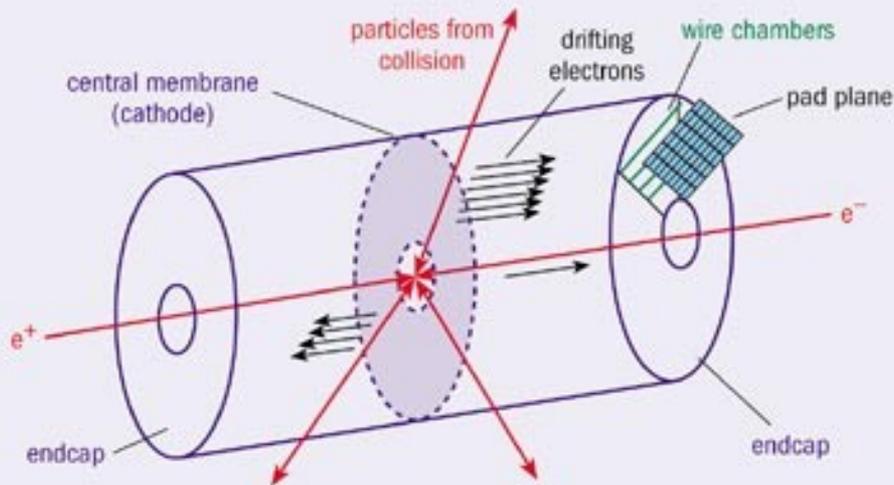
Types of Drift Chambers

Cylindrical drift chamber



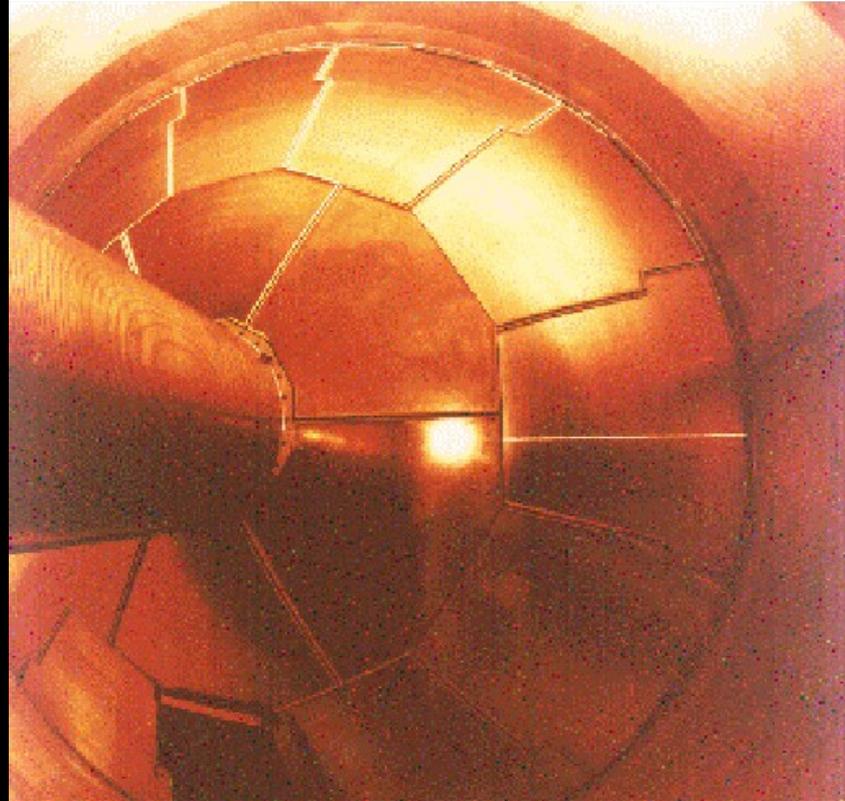
Jet Chamber of the OPAL experiment

Time Projection chamber (TPC)



- Electrical field parallel to B-Field
- limits diffusion along long drift path
- + excellent position resolution
- + excellent dE/dx resolution
- long drift times \rightarrow low rates

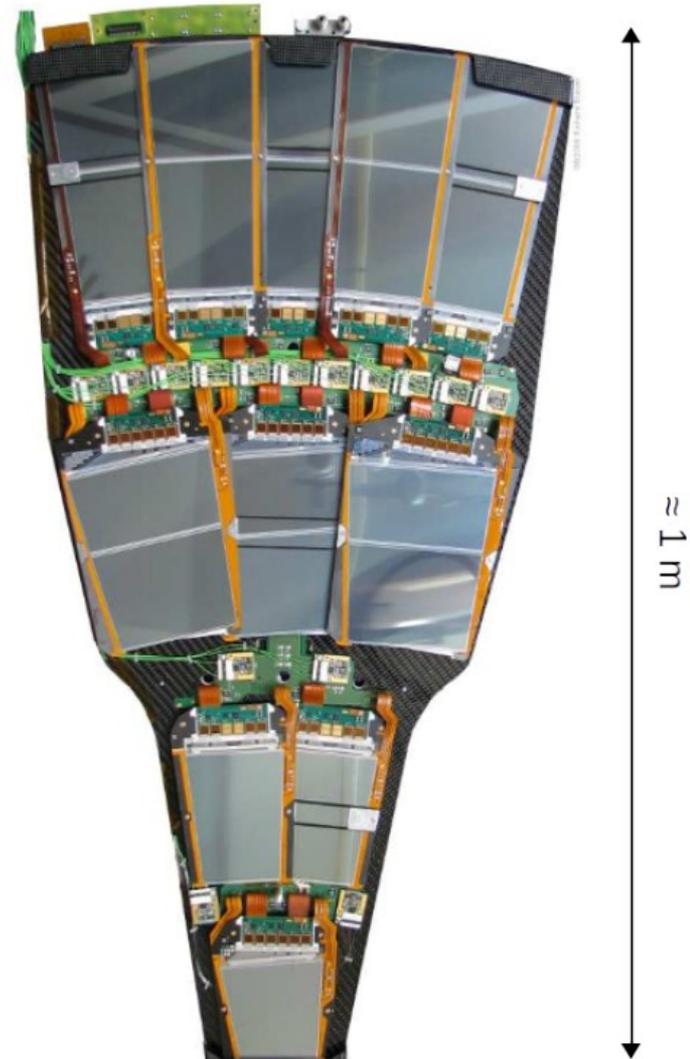
View into ALEPH TPC



Semiconductor Detectors

part of the CMS silicon strip detector

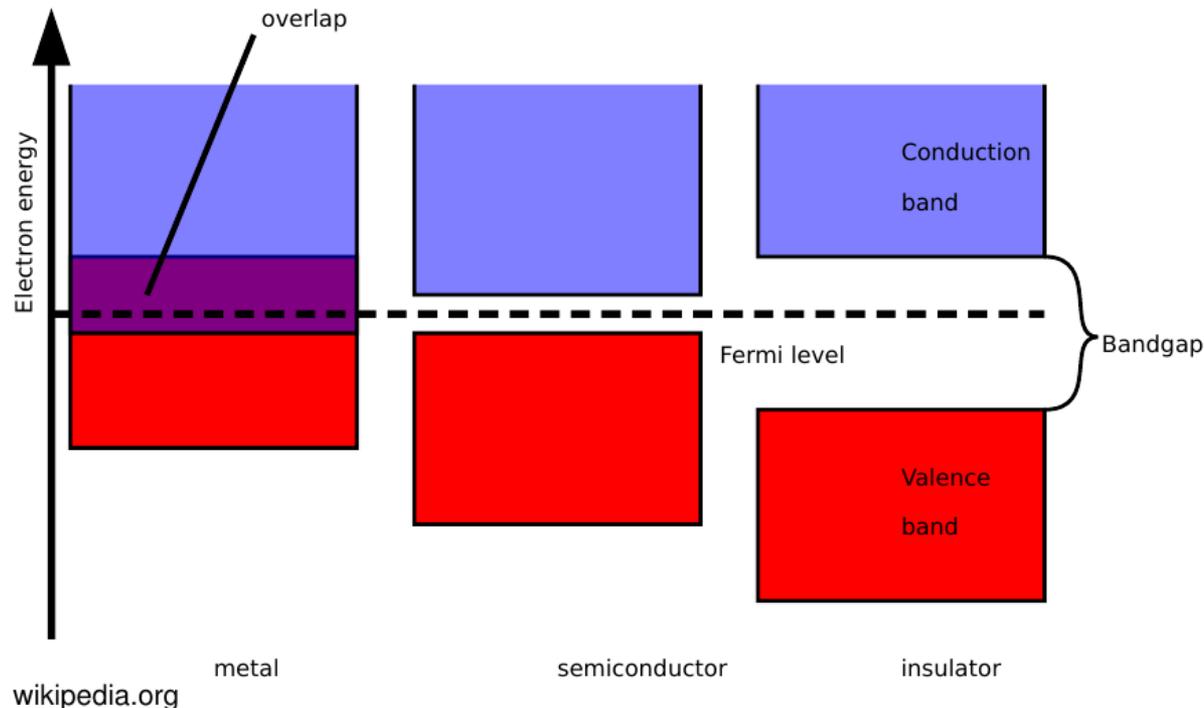
- Working principle: **semiconductor ionisation chamber**
 - Detector = diode in reverse bias
 - Most common design: **hybrid detector**
 - Ionisation and charge collection in silicon sensor
 - Amplification in **separate read-out chip**
- Typical segmentation
 - 1D **microstrips**
(pitch: 25–200 μm , length: 10 cm)
 - 2D **pixel**
(ATLAS: $50 \times 400 \mu\text{m}^2$, CMS: $100 \times 150 \mu\text{m}^2$)



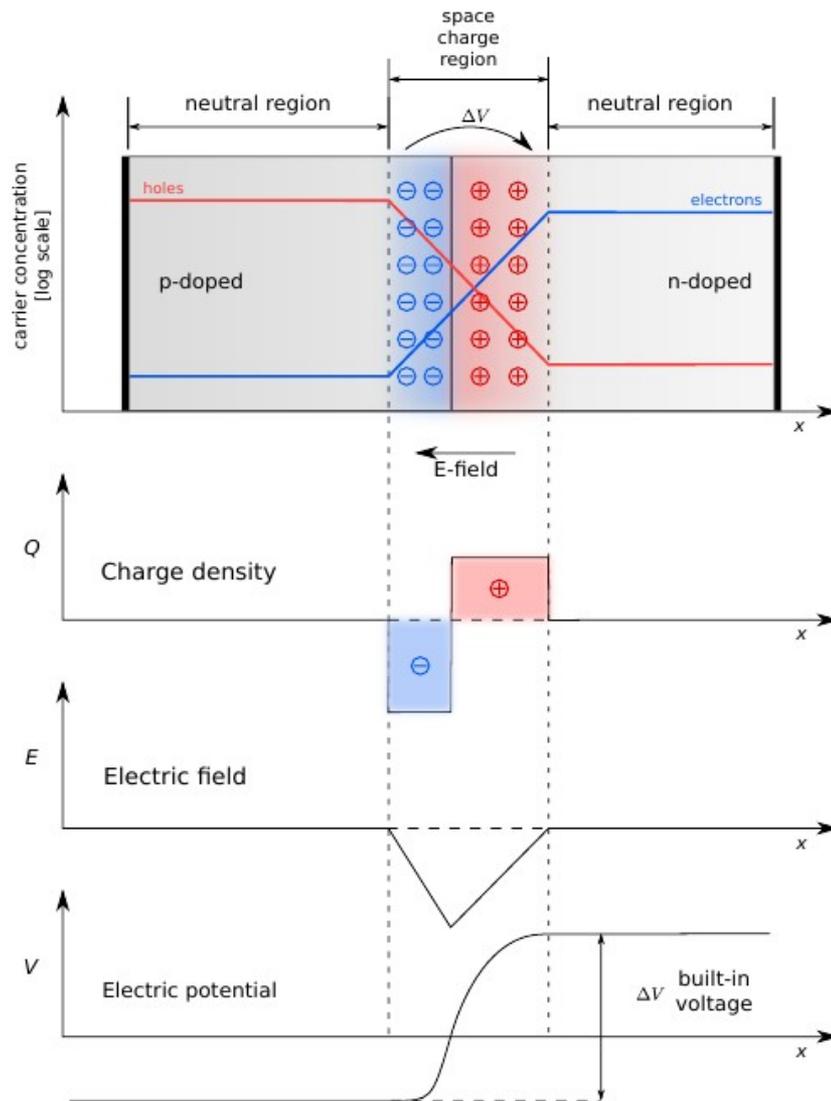
JINST 5 (2010) P06007

Principle of Semiconductor Detectors

- Reminder: electronic band structure
 - Electrons in crystal lattice \equiv periodic potential \rightarrow ***Bloch states***
 - Many atoms: energy levels overlap \rightarrow quasi-continuous ***energy bands*** with ***band gaps***
 - (Intrinsic) ***semiconductors***: small band gap ($\lesssim 5$ eV) between valence and conduction band, e. g. effectively 3.6 eV for silicon



Depletion Zone in pn Junction

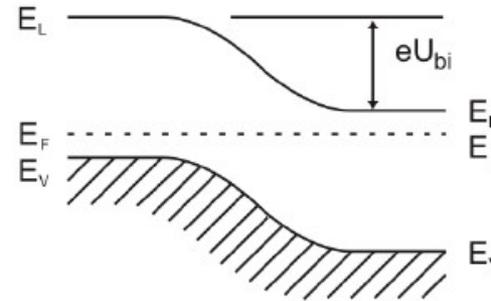
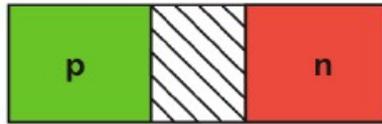


- Boundary between p- and n-doped semiconductor
 - Majority charge carriers **diffuse** to other side and **recombine**
 - Charge-density gradient → E field (**'built-in' voltage** $\approx 0.6-0.7$ V) counteracts diffusion
 - Formation of **non-conductive zone** depleted of charge carriers (**depletion zone**)
- Charged **particle traversing depletion zone**: creation of **free charges by ionisation** → electric current, signal

Biased pn Junction

pn junction without external bias voltage

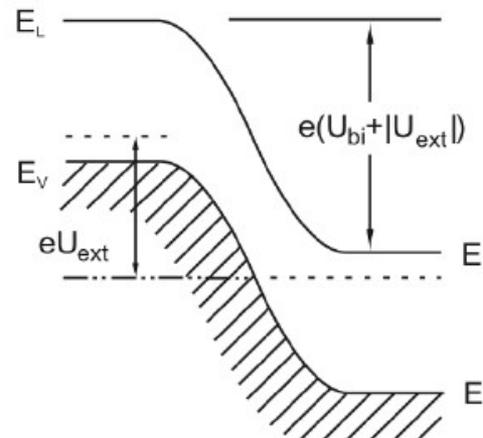
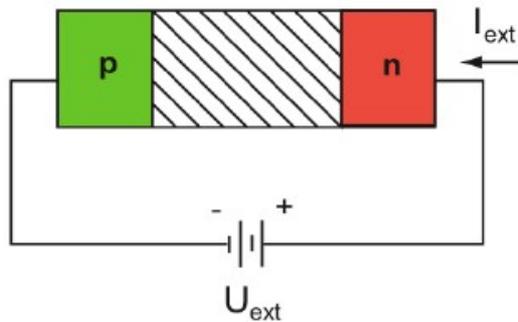
a)



pn junction with external **reverse bias voltage**

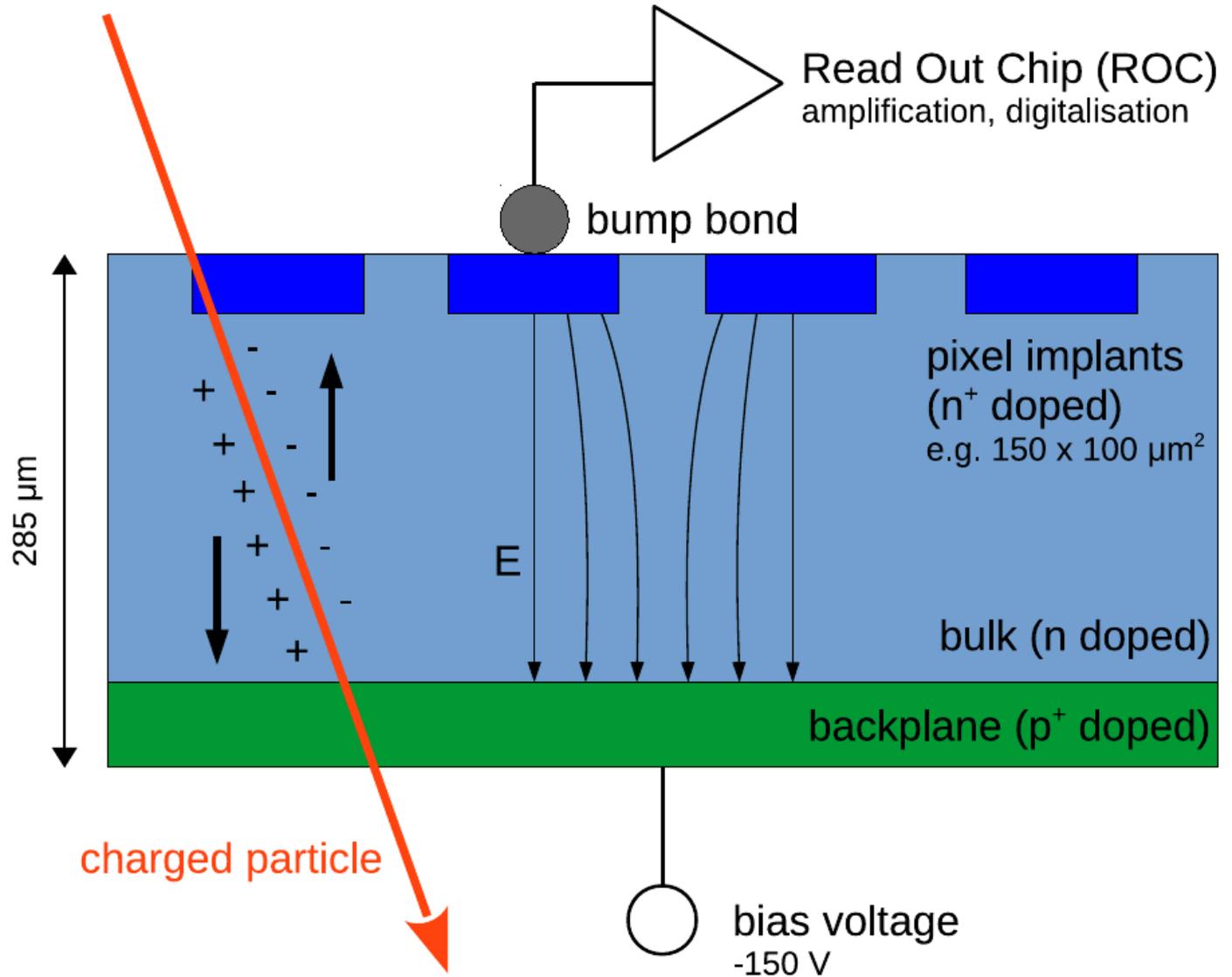
- External voltage with negative terminal applied to p-type region: further removal of charge carriers → **increased depletion zone**

c)

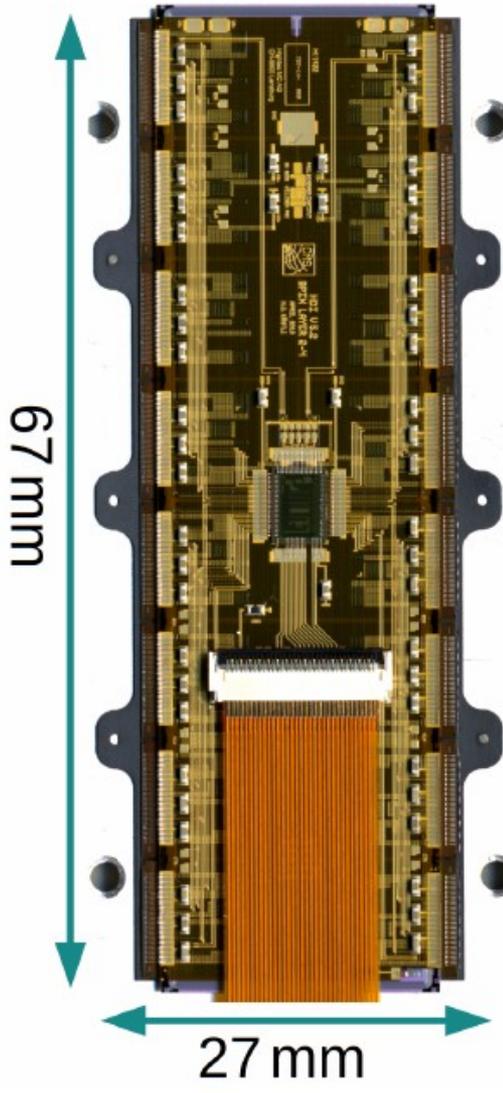
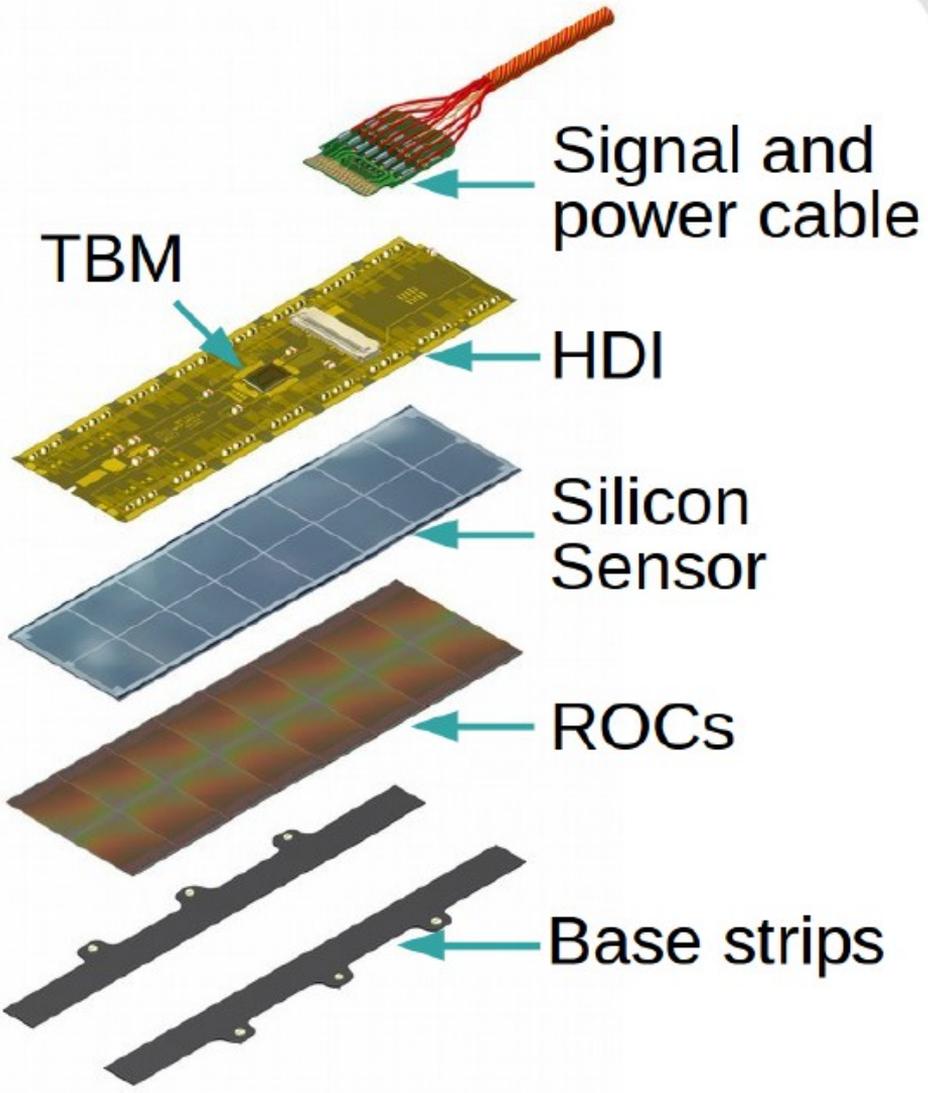


Principle of Semiconductor Detectors (2)

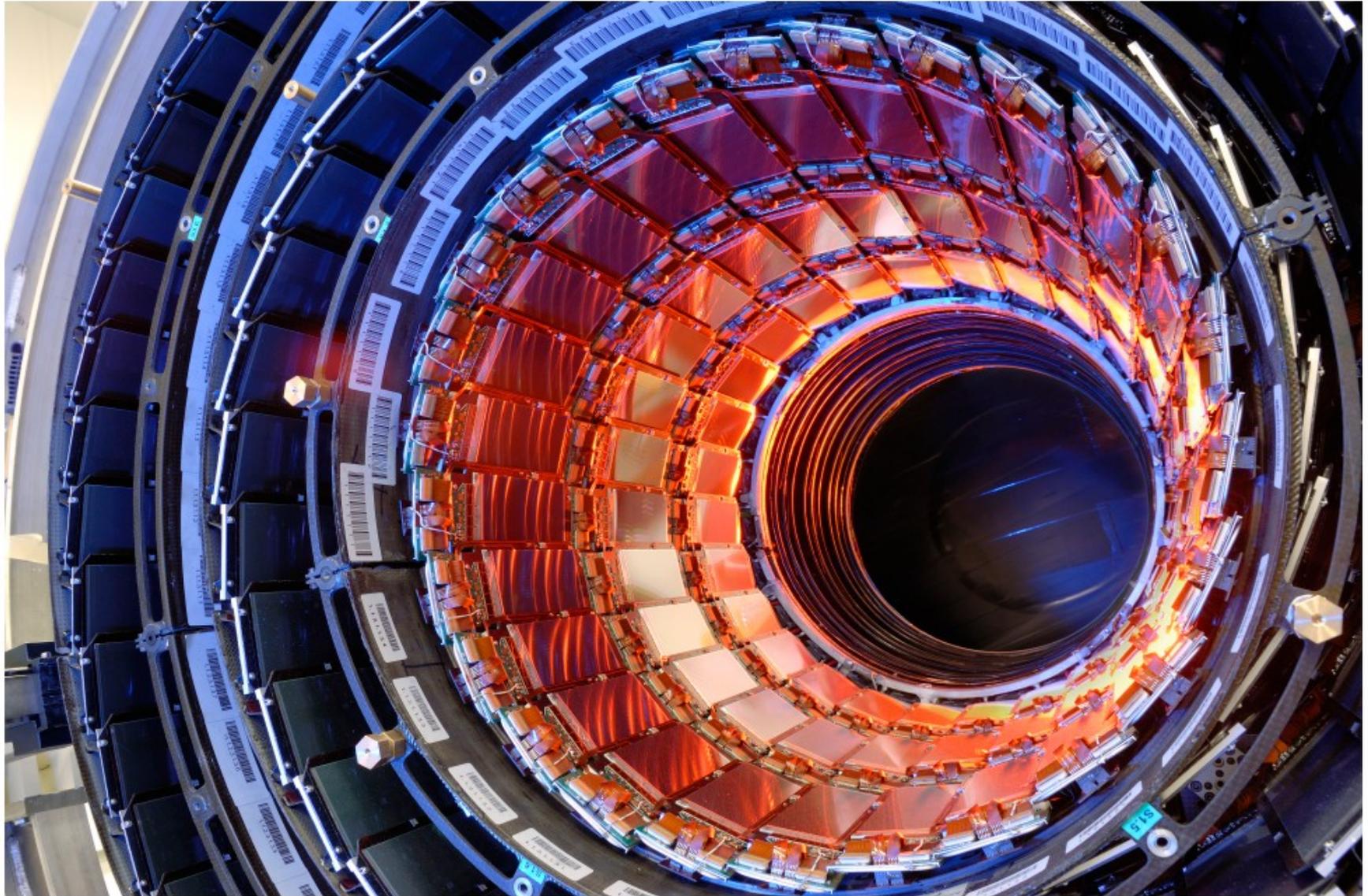
Example: CMS Pixel Sensor



Example: CMS Pixel Module



Example: CMS Silicon Tracker



CERN

CMS Barrel Strip Detector

Comparison

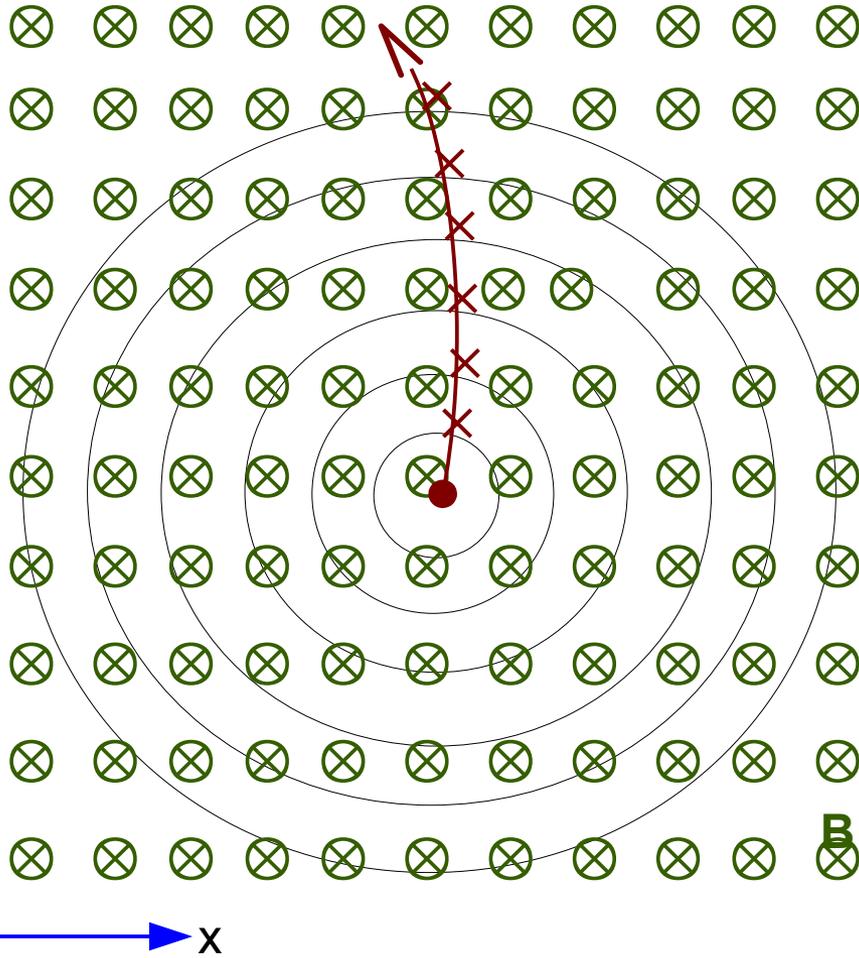
<i>gaseous detectors</i>	<i>silicon detectors</i>
high ionisation energy: ≈ 30 eV per electron-hole pair	low ionisation energy: 3.6 eV per electron-hole pair \rightarrow larger signal , better energy resolution (S/N)
relatively slow signal: drift velocity $\mathcal{O}(\text{cm } \mu\text{s}^{-1})$	fast signal: $\mathcal{O}(\text{ns})$
many hits but limited granularity (wire distance)	few hits with high granularity
low material budget	higher material budget affects measurement (multiple scattering, conversion, . . .)
ages under radiation	radiation damages well under control

- Applications (strongly simplified)
 - Silicon detectors: **highest rates**, e. g. LHC
 - Gaseous detectors: **highest precision**, e. g. B factories, future International Linear Collider (ILC)
- Often: **combination** of silicon detectors close to interaction point and gaseous detectors at larger distance

Momentum Measurement

Many layers of tracking detectors in homogeneous magnetic field

× Smeasured points on track



tracks from charged particles with transverse momentum p_t form arcs with bending radius R :

$$\text{Lorentz force: } \vec{F}_L = q \vec{v} \times \vec{B}$$

$$\text{centripetal force: } F_Z = m \vec{v}^2 / R)$$

$$\Rightarrow |\vec{p}_t| = q B R$$

note: this is also valid relativistically

Rem.: 1.) due to z component of momentum, tracks have form of a three-dimensional spiral („helix“)

2.) practical form of above equation for $q = e$:

$$p_t [\text{GeV}/c] = 0.3 B [\text{T}] \cdot R [\text{m}]$$

Momentum Measurement: sources of uncertainty

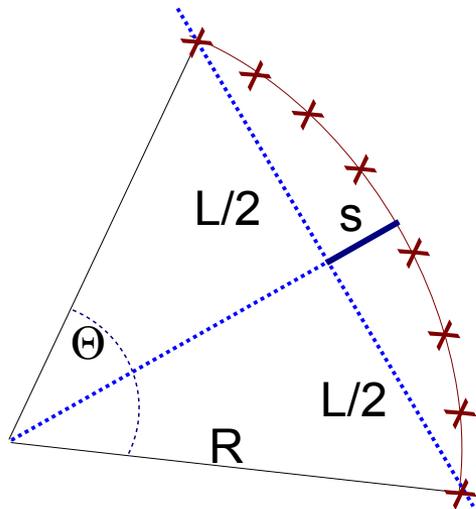
Uncertainties on points of track (σ_{xy} resp. $\sigma_{r\varphi}$) lead to uncertainty on transverse momentum:

two main contributions:

- spacial resolution of detector – *depends on track momentum*
- multiple scattering – *almost constant*

contribution of detector resolution (simple, analytical consideration) :

bending radius determined by measurement of **sagitta** s given a track length $\sim L$ in the detector



$$s = 2R \sin^2 \frac{\Theta}{4} \simeq \frac{L^2}{8R}$$

measured quantity is the curvature $\rho = 1/R$ of the track with an approximately gaussian uncertainty:

$$p_t = qB/\rho \Rightarrow \frac{\Delta p_t}{p_t} = qB \frac{\Delta \rho}{\rho} = p_t \Delta \rho \Rightarrow \frac{\Delta p_t}{p_t^2} = \Delta \rho \simeq \text{const.}$$

Momentum Resolution

in more detail:

uncertainty on sagitta (Glückstern, NIM 24 (1963)) for >10 track points N :

$$\Delta_s = \sqrt{\frac{A}{N+4}} \cdot \frac{\sigma_{xy}}{8}, \text{ statistical factor } A = 720$$

leads to:

$$\frac{\Delta_{p_t}}{p_t} = \frac{8 p_t}{0.3 B L^2} \cdot \Delta_s$$

Precision increases with square root of the number of measurements, but quadratically with track length

Large detector with high magnetic field more important than many points !

BL^2 is an important property of a tracking system

ALEPH: $R=2$ m, $B = 1,5$ T $\rightarrow BL^2 = 4,5$ Tm²,

21 points/track $\rightarrow \Delta p_t/p_t = \sim 10^{-3} p_t$ [GeV/c]

CMS: $R = 1,2$ m, $B=1,8$ T $\rightarrow BL^2=5.5$

10-14 points/track $\rightarrow \Delta p_t/p_t = \sim 10^{-3} p_t$ [GeV/c]

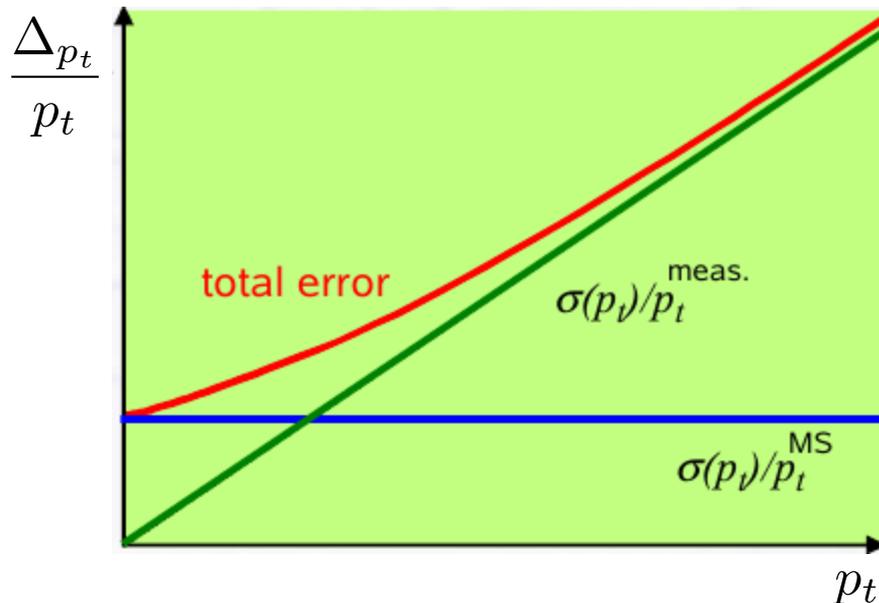
Momentum Resolution

there is a ~constant contribution from **multiple scattering** to momentum resolution

$$\Theta_{MS} \propto \frac{1}{p_t} \sqrt{\frac{L}{X_0}}$$

$$\frac{\Delta p_t}{p_t} \propto p_t \Delta_{xy} \Rightarrow \left(\frac{\Delta p_t}{p_t} \right)_{MS} \propto p_t \Theta_{MS} = \text{const.}$$

multiple scattering in detector leads to p_t -independent contribution to uncertainty



$$\frac{\sigma_{p_T}}{p_T} = \underbrace{\frac{a}{BL^2} \cdot \sigma_x \cdot p_T}_{\text{hit resolution}} \oplus \underbrace{\frac{b}{B\sqrt{LX_0}}}_{\text{multiple scat.}}$$

Remark.:

track parameters of modern detectors are determined by fit to all points including material effects (energy loss, deflection)

Material budget of tracking detectors

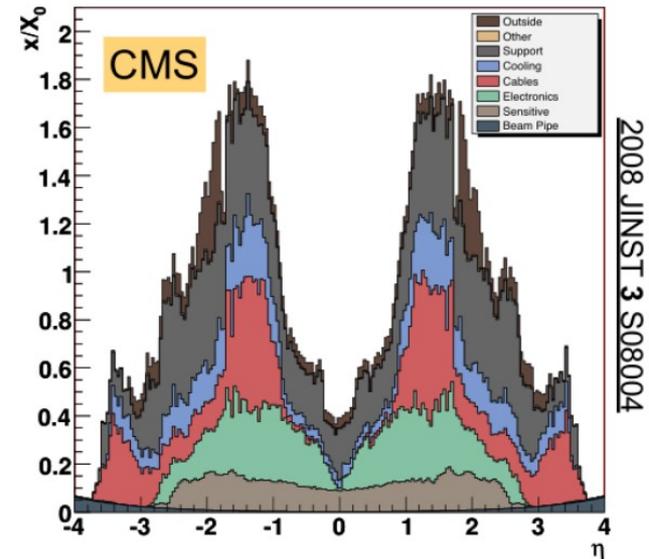
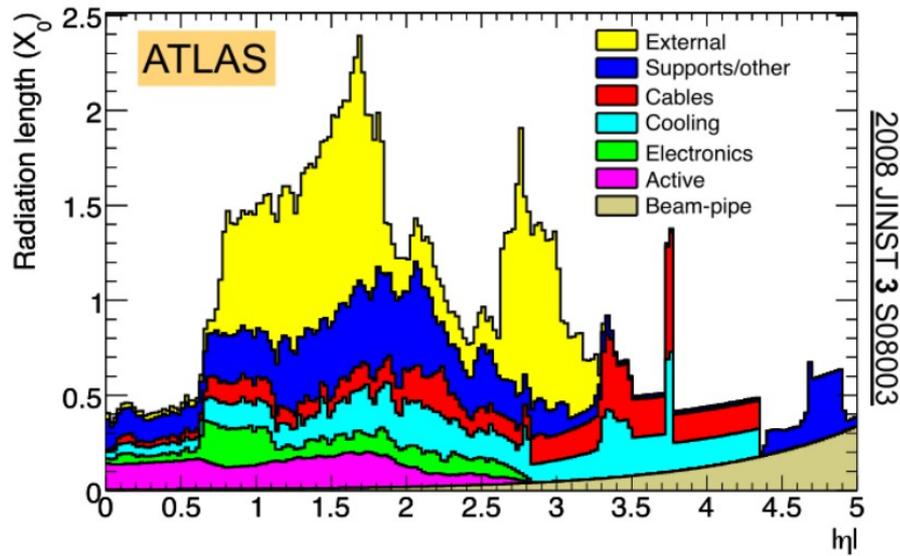


TABLE 5 Evolution of the amount of material expected in the ATLAS and CMS trackers from 1994 to 2006

Date	ATLAS		CMS	
	$\eta \approx 0$	$\eta \approx 1.7$	$\eta \approx 0$	$\eta \approx 1.7$
1994 (Technical Proposals)	0.20	0.70	0.15	0.60
1997 (Technical Design Reports)	0.25	1.50	0.25	0.85
2006 (End of construction)	0.35	1.35	0.35	1.50

Annu. Rev. Nucl. Part. Sci. 56 (2006) 375

Material in or in front of tracking detectors leads to :

- multiple scattering
- photon conversions
- early start of em showers

B-Tagging

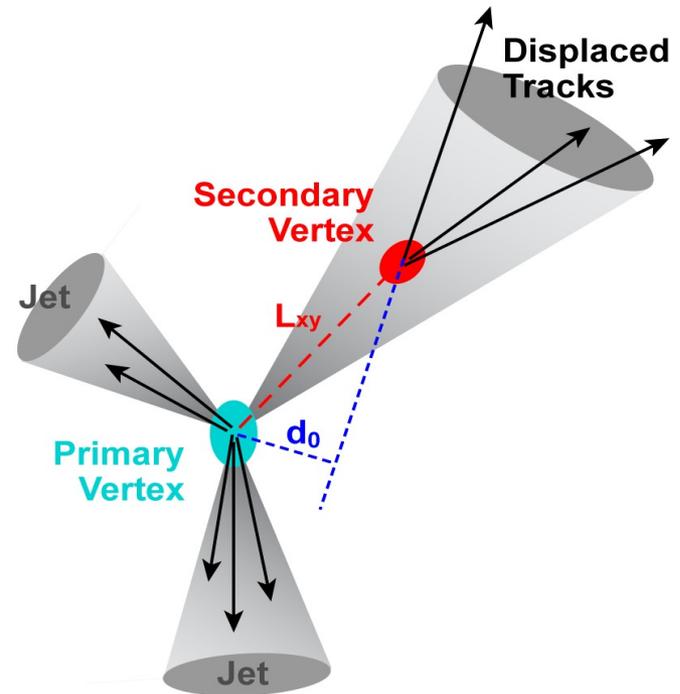
Identification (“tagging”) of hadrons with b- und c- quarks
or of τ^\pm leptons with high-resolution tracking detectors:

- measurement of flight distance L_{xy} in xy plane
- measurement of impact parameter d_0 of tracks
- (– leptons from semileptonic b decays are also important signature, as well as invariant jet mass or jet shape)

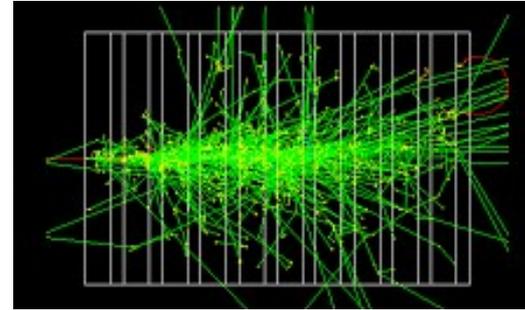
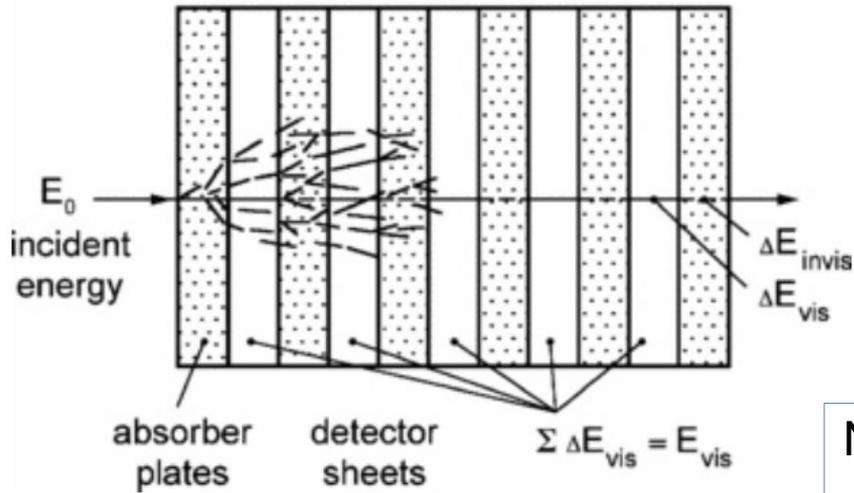
use multivariate methods for simultaneous analysis of all sensitive variables

L_{xy} and d_0 have a very high impact !

→ motivation for high-precision vertex detectors



Calorimeters



Simulated shower with Geant4

2005 J. Phys. G: Nucl. Part. Phys. 31 R133

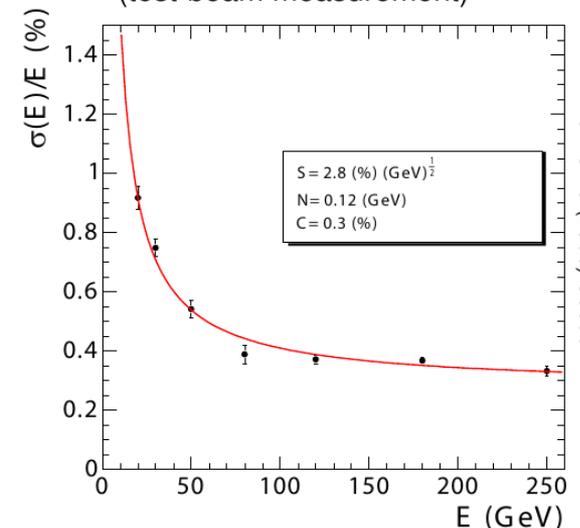
Number of secondary particles in shower proportional to particle energy
 → **statistical fluctuations** $\sim \sqrt{N}$, i.e. $\sim \sqrt{E}$

Energy resolution of calorimeters parameterized as

$$\frac{\sigma_E}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c$$

- **Stochastic term**: fluctuations in shower development and sampling (Poisson statistics)
- **Noise term**: noise in readout electronics
- **Constant term**: calibration, 'leakage' out of calorimeter

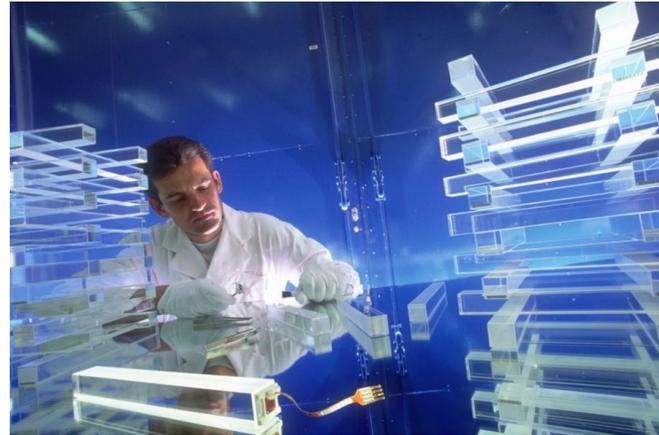
Energy resolution of CMS ECAL (test-beam measurement)



Example: CMS PbWO₄ Crystal Calorimeter

Homogeneous calorimeter: lead-tungstate (PbWO₄) crystal scintillators

- Radiation length $X_0 = 0.89$ cm, Molière radius of 2.2 cm
- Achieves **very good energy resolution**: stochastic term 3%

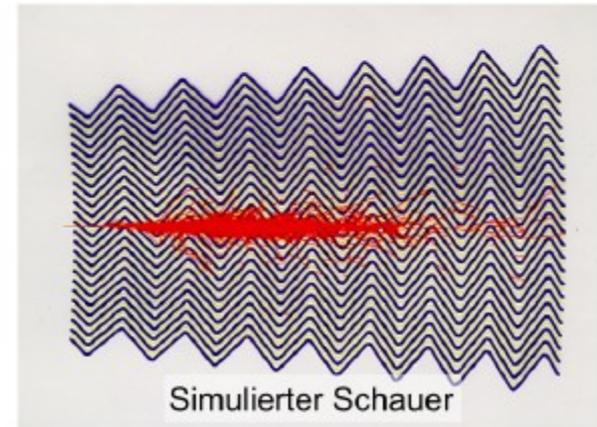
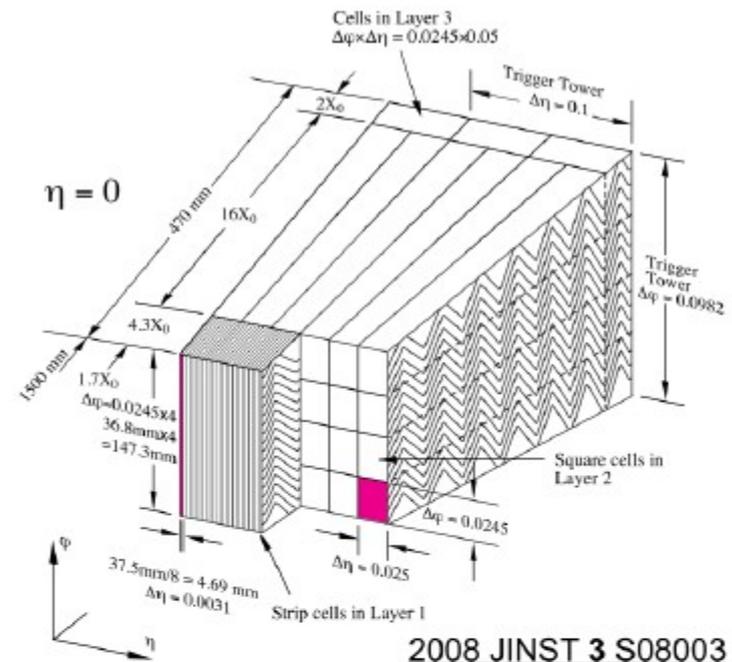


cms.web.cern.ch

- **Low scintillation light yield** (≈ 30 photons per MeV): challenge to readout, requires high amplification in photodetectors (increased noise)
- Yield **strongly temperature dependent**: 2%/°C at 18 °C
→ temperature kept stable within 0.1 °C to retain energy resolution
 - Controlled by integrated laser calibration system

Example: ATLAS Liquid Argon Calorimeter

- Sampling calorimeter: active material liquid argon
 - **Ionisation** by charged shower particles (26 eV per electron-hole pair)
 - Ions drift to electrodes (voltage $\mathcal{O}(1000)V$) \rightarrow electric signal
 - Operation temperature ≈ 80 K
- Example: ATLAS ECAL
 - **Absorption** of em showers in **lead tiles**
 - Special feature: **accordion structure**
 \rightarrow fast readout, no gaps in detector coverage



Design Goals of Calorimeters

- Precise energy measurement (and identification) for electrons, photons, jets, and missing transverse energy
 - High intrinsic **energy resolution**
 - High **granularity, hermetic** coverage (' 4π ' detector)
 - **Depth**: many radiation lengths (ECAL) resp. interaction lengths (HCAL)
 - Otherwise: 'leakage' of shower out of calorimeter (for jets also called 'punch through')
- Possibly usage in trigger system (online data selection)
 - **Fast** readout $\mathcal{O}(\text{ns})$
- **Homogeneous calorimeters**
 - ✓ All energy deposited in active material: **best resolution**
 - ✗ Require advanced materials: often more **expensive and heavier**
 - ✗ Often very **low light yield**: challenge to readout
- **Sampling calorimeters**
 - ✗ Some of the energy deposited in absorber: **limits resolution**
 - ✓ Absorbing and active material can be specifically chosen: more **flexible and cheaper design** choices

Comparison: ATLAS and CMS

	ATLAS	CMS
Position	Outside of magnet coil: 2–4 X_0 additional material in front of ECAL	Inside magnet coil: Limited depth (HCAL only $7.2 \lambda_I$ at $\eta = 0$: additional ‘tail catcher’)
ECAL	Lead/liquid-argon (LAr) sampling calorimeter : high granularity and longitudinal resolution	Homogeneous crystal calorimeter (PbWO_4): high intrinsic energy resolution
HCAL	sampling calorimeters : iron+scintillator (barrel) copper+LAr (endcap)	sampling calorimeters : brass+scintillator (barrel+endcap) iron+quartz fibres (forward)

Energy resolution: ATLAS vs. CMS

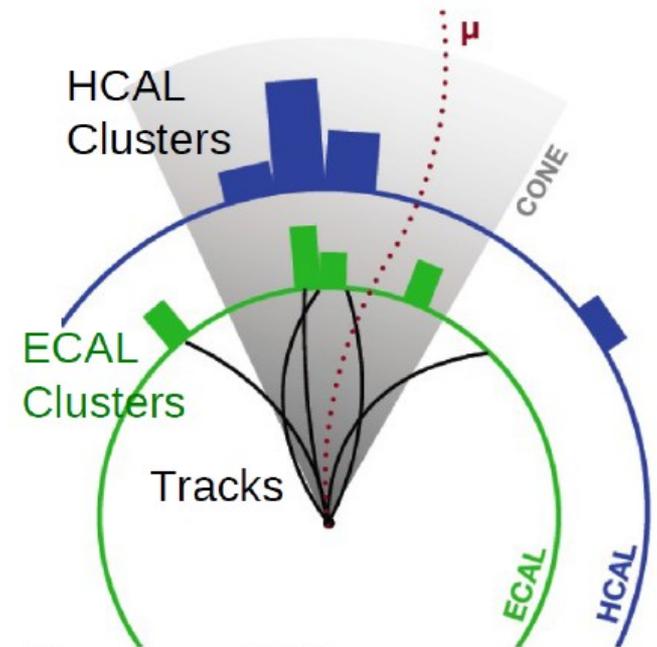
$$\frac{\sigma_E}{E} = \boxed{\frac{a}{\sqrt{E}}} \oplus \boxed{\frac{b}{E}} \oplus \boxed{c}$$

Calorimeter	Term	ATLAS	CMS
ECAL (barrel)	stochastic (<i>a</i>)	10 % $\sqrt{\text{GeV}}$	3 % $\sqrt{\text{GeV}}$
	noise (<i>b</i>)	250 MeV	200 MeV
	constant (<i>c</i>)	0.2 %	0.5 %
ECAL+HCAL (barrel)	stochastic (<i>a</i>)	55 % $\sqrt{\text{GeV}}$	70 % $\sqrt{\text{GeV}}$
	noise (<i>b</i>)	3.2 GeV	1.0 GeV
	constant (<i>c</i>)	2.3 %	8 %

Reconstruction of "Particle Flow"

Particle-flow reconstruction: identification and measurement of **individual particles** by optimal **combination** of information from **different subdetectors**

- Effective usage of subdetectors (very simplified!)
 - Tracker: momentum of charged particles
 - Muon system: muon ID (and momentum)
 - ECAL: photon energy
 - HCAL: neutral hadron energy
→ only $\approx 10\%$ of jet energy
- Jets reconstructed from particle candidates: much **better energy resolution**
- Particle-flow: requires strong magnet field / high granularity (CMS!)



F. Beaudette at ICHEP2010

particle flow

$$E_{\text{jet}} = E_{\text{tracks}} + E_{\gamma} + E_n$$

Relevant in particular for jet reconstruction and missing energy

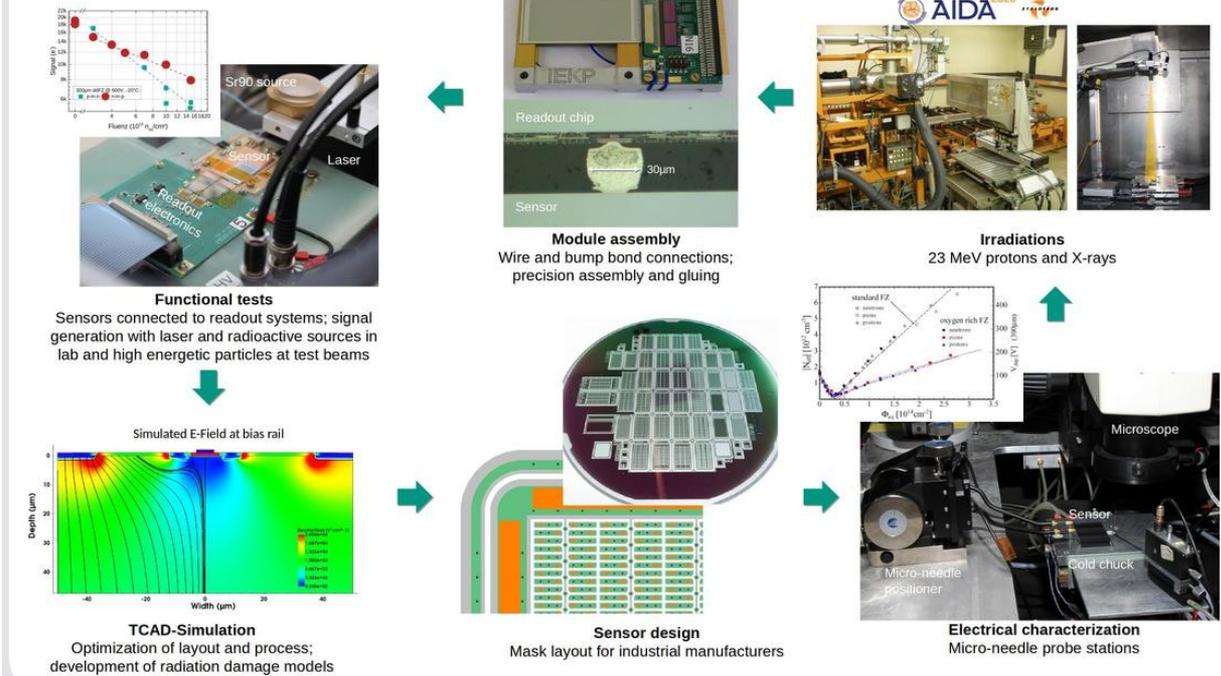
Opportunities @ KIT

KIT is strongly involved in the **upgrade** of the **CMS detector** for the LHC high-luminosity phase

Groups of

- Prof. U. Husemann
- Prof. M. Weber

Silicon Sensor Development Cycle



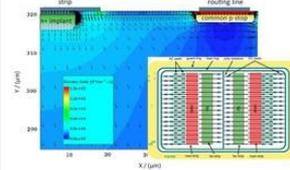
Sensor Development

Defined baseline sensor type for CMS experiment at LHC, CERN:

- p-type bulk with n-type strips
- CMS Collaboration, The Phase-2 Upgrade of the CMS Tracker, TDR, 2017.
- A. Dierlamm, P-Type Silicon Strip Sensors for the new CMS Tracker at HL-LHC, J. Inst. 12 (2017) P06018.

Fourfold segmented strip sensor with edge readout (FOSTER)

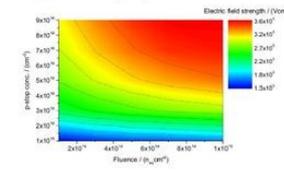
- NIM A788(2015)154-160



Suppression of signals coupling into routing-lines of FOSTER

Moderate p-stop concentration required at high fluence

- NIM A831(2016)38-43



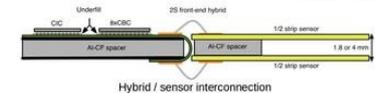
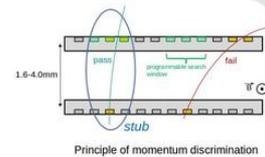
Dependence of max. electric field on p-stop concentration and irradiation fluence

Investigation of nitrogen-enriched silicon as radiation hard sensor material

- Fewer defects observed after irradiation.
- Diodes and strip sensors being compared with standard float-zone (FZ), oxygenated FZ and magnetic Czochralski silicon.

Module Construction

- New module types allow discrimination of particle momentum and contribution to L1-trigger for CMS.
- Assembly precision ~20µm.
- KIT will build 2000 modules.



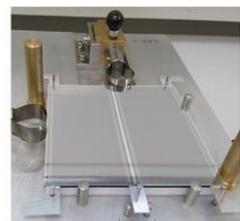
Service hybrid with power and opt. link

FE hybrids with ROCs

Sensors

AICF bridges

Components of a module



see lecture

”Detektoren für Teilchen- und Astroteilchenphysik”

by Frank Hartmann

(CMS upgrade coordinator)

